

Gating Mechanisms of the Type-1 Inositol Trisphosphate Receptor

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ABSTRACT A large amount of data and observations on inositol 1,4,5-trisphosphate (IP₃) binding to the IP₃ receptor/Ca²⁺ channel, the steady-state activity of the channel, and its inactivation by IP₃ can be explained by assuming one activation and one inhibition module, both allosterically operated by Ca²⁺, IP₃, and ATP, and one adaptation element, driven by IP₃, Ca²⁺, and the interconversion between two possible conformations of the receptor. The adaptation module becomes completely insensitive to a second IP₃ pulse within 80 s. Observed kinetic responses are well reproduced if, in addition, two module open states are rendered inactive by the current charge carrier Mn²⁺. The inactivation time constants are 59 s in the activation, and 0.75 s in the adaptation module. The in vivo open probability of the channel is predicted to be almost in coincidence with the behavior in lipid bilayers for IP₃ levels of 0.2 and 2 μ M and one-order-higher at 0.02 μ M IP₃, whereas at 180 μ M IP₃ the maximal in vivo activity may be 2.5-orders higher than in bilayers and restricted to a narrower Ca²⁺ domain (\sim 10 μ M-wide versus \sim 100 μ M-wide). IP₃ is likely to inhibit channel activity at \leq 120 nM Ca²⁺ in vivo.

INTRODUCTION

Release of Ca²⁺ ions from the endoplasmic reticulum (ER) is essential to many cellular processes (1,2). Calcium is released via the opening of its ER channel, the inositol 1,4,5-trisphosphate receptor (IP₃R), whose complex behavior undergoes marked changes as the receptor is either incorporated into planar lipid bilayers or preserved in its native membrane environment (3–13). The reasons for the extreme variation (reaching as high as \sim 20-fold) found in its peak open-probability are not clear. It is well established, however, that the IP₃R activity is tightly regulated by cytosolic factors such as Ca²⁺, IP₃, and free ATP, but the underlying mechanisms have remained poorly defined and are often confusing. It is not surprising, then, that there is no general consensus among existent models of the IP₃ receptor (4,9,10,14–19), and that even though models (see Refs. 20 and 21 for review) have evolved in explaining increasing amounts of data, the current understanding of the calcium release regulation is still far from complete.

The ER Ca²⁺ channel is recognized as a tetrameric complex that binds IP₃ and Ca²⁺ and is able to promote release of calcium ions into the cytosol. Three IP₃ receptor isoforms are expressed in mammalian cells: IP₃R type-1 (IP₃R1), IP₃R type-2 (IP₃R2), and IP₃R type-3 (IP₃R3). The IP₃R1 sequence contains 2749 amino acids and determines three structurally different parts: a large N-terminal cytoplasmic arm (\sim 65–80% of full length), a putative six-membrane-spanning domain near the C-terminus, which contributes to the pore structure; and a short C-terminal cytoplasmic tail (22,23).

IP₃ has been found to bind to the 226–578 residue domain, which is near the NH₂-terminus of each monomer (23,24).

Mutational analysis revealed that the IP₃ binding domain contains four segments (indexed here as DS1–4) covering the regions 241–249, 265–269, 504–508, and 568–569, respectively, which are determinant for ligand binding (24). In most biochemical studies IP₃ bound to the receptor with $K_d \sim$ 50 nM and Hill coefficient \simeq 1 (4,10,24–29). It has been estimated that in the purified receptor each subunit binds one IP₃ molecule to a single medium affinity site (30), but several recent findings in microsomes, with higher concentrations used of the radioactive ligand, cannot be explained unless a second IP₃ binding site, of low affinity ($K_d \sim$ 10 μ M, $n_H \simeq$ 1), is present on the IP₃R1 (4) with equal abundance as the 50 nM site (4,10). Meanwhile, a third site with high affinity ($K_d \simeq$ 1 nM) appears with extremely low frequency ($<$ 1%) in microsomal preparations (4,10), which brings into question its belonging to the IP₃R1 (see below).

Ca²⁺ binds to seven sites residing on the cytoplasmic region of the receptor monomer and to one luminal site (23, 31,32). The affinity of the luminal site and that of one cytoplasmic site have been determined (31,32), $K_d =$ 0.3 μ M ($h =$ 1) and $K_d =$ 0.8 μ M ($h =$ 1), respectively. With constant levels of IP₃, the open probability of the channel depends on cytosolic Ca²⁺ in a bell-shaped manner, which is currently attributed to regulation by two distinct classes of activating and inhibitory Ca²⁺ sites, although some models can reproduce it with the aid of a single Ca²⁺ regulatory site (10). The IP₃R1 sensitivity to activation and inhibition by Ca²⁺ most likely results from the calcium binding sensor (1932–2270 residues in IP₃R1), which may include several Ca²⁺ binding sites (12).

It has been shown that another regulating factor, ATP, affects the activity of the channel (7,8). ATP binds to two-to-three putative sites situated on the regulatory cytoplasmic domain of the IP₃R1 (23,33–36). Initially it has been estimated that in the purified receptor ATP binds to a single high affinity ($K_d =$ 17 μ M) site on the monomer (30). Recent

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studies have proved that the regions 1773–1780 and 2015–2021 of the purified IP₃R1 bind ATP with high ($K_d = 1.6 \mu\text{M}$) and low affinity, respectively (35,36). The lower affinity site is conserved between IP₃R isoforms. For the type-3 receptor the K_d is $177 \mu\text{M}$ (35). Binding of ATP can both stimulate and inhibit the receptor, depending on the Ca^{2+} concentration; however, the mechanisms are not clear. A simple, Hill-modified, ATP-dependence of the Ca^{2+} dissociation constant in the activation region (where P_o increases with Ca^{2+} , here for Ca^{2+} levels $< 60 \mu\text{M}$) suggests that ATP has a functional K_d of $270 \mu\text{M}$ and $h = 1$ (7), whereas in the inhibition region ($[\text{Ca}^{2+}] > 60 \mu\text{M}$) an ATP increase from 0 to $500 \mu\text{M}$ leads to a decrease of the Ca^{2+} dissociation constant from ~ 100 to $\sim 50 \mu\text{M}$ (8). It appears thus that ATP enhances both activation and inhibition of the channel by Ca^{2+} .

Regulation of IP₃R1 activity by IP₃ and Ca^{2+} has been approached with models of increasing complexity. Even though early models (14,37) succeeded in reproducing the biphasic dependence of P_o on Ca^{2+} on the basis of three regulatory sites (one IP₃-, one activating Ca^{2+} -, and one inhibitory Ca^{2+} site), the right dependence of P_o on both Ca^{2+} and IP₃ was achieved later, by including a low affinity IP₃ site (4). However, better fit to P_o and open dwell-time data was obtained with a more complex, 125-state model (10), which assumed a single Ca^{2+} regulatory site and two IP₃ sites (of medium and low affinity) in each monomer. The P_o dependence on Ca^{2+} at $2 \mu\text{M}$ IP₃ can be reproduced as well with different combinations of regulatory sites, as, for example, in the model of Swillens et al. (15,16)—where the assumed regulatory sites are the medium-affinity IP₃, two Ca^{2+} activating sites, and two Ca^{2+} desensitizing sites.

In this article we analyze different sets of published data on IP₃R binding and single channel activity, and show that the stationary activity of the IP₃R type-1 (IP₃R1) in both native and artificial membranes as well as various puzzling properties of the IP₃ binding to the ER membrane can be consistently explained by a unique gating mechanism involving triple allosteric interactions between Ca^{2+} , IP₃, and free ATP binding to the channel molecule, but with different receptor sensitivity to particular ligands under different experimental conditions. Nevertheless, since to this end we use exclusively equilibrium data, the IP₃R gating model is then adapted to reproduce channel inactivation in the sustained presence of IP₃. Time trends of channel's open probability after two-pulse IP₃ stimulation can be found closely similar to the experimental ones.

The model assumes that the activity of the Ca^{2+} channel is determined by the opening of three independent gates, each belonging to a certain region of the receptor, termed a *module*. One module is activated whereas another is inhibited by Ca^{2+} . They are therefore called the *activation module* (AMo) and the *inhibition module* (IMo), respectively, whereas the remaining module, termed the *adaptation module* (AdMo), is considered to contribute to channel inactivation. The whole model is constructed on the basis of

considering the tetramer receptor as a complex unit, so it describes how IP₃ binds globally to each module, not to the corresponding portion of each monomer within a certain module. That allows us to assume that each module provides a single equivalent IP₃ binding site. Then the Hill coefficient that defines IP₃ binding to such a site gives the mean number of IP₃ molecules that at an instant bind all four monomers at the locus of IP₃ binding in the corresponding module.

Some of the model outputs pertain to the following:

1. The prediction of four IP₃ binding sites on each receptor subunit, presumably located on the DS1–4 segments; three of these sites are implicated in channel gating.
2. The modulation by ATP of (IP₃-dependent) channel activation and inhibition by Ca^{2+} , effected by ATP binding at two sites on the receptor and allosteric regulation of Ca^{2+} and IP₃ binding.
3. The description of Ca^{2+} inhibitory effects on IP₃ binding, comprising alternative effects on affinity or the number of available binding sites.
4. The involvement in channel gating of a spontaneous or ligand-induced interconversion between two receptor conformations.
5. The description of channel inactivation by IP₃ observed in two-pulse experiments, involving the transient kinetic response to successive IP₃ additions; the rates of spontaneous conformation interchanges are determinant for the timescale of inactivation.
6. The prediction of the in vivo steady-state activity of the channel, which shares both similarities and differences with the behavior observed in bilayer experiments.

METHODS

Analysis of steady-state channel activity

Calculation of channel open probability and open/close dwell-times is done according to a previously published method (18), considering 0.2-ms temporal resolution of single channel recordings (8) in *Xenopus* oocytes and the IP₃R1 reactions assumed in the present model. In the analysis of data obtained with the channel in lipid bilayers we have not corrected for missed events; however, the resolution therein is better ($40 \mu\text{s}$; see Ref. 10), and errors should be very small, at least for the open probability (18).

At equilibrium

$$P_o([\text{Ca}^{2+}], [\text{IP}_3], [\text{ATP}]) = P_{\text{act}}([\text{Ca}^{2+}], [\text{IP}_3], [\text{ATP}]) \times P_{\text{inh}}([\text{Ca}^{2+}], [\text{IP}_3], [\text{ATP}]) \times P_{\text{ad}}, \quad (1)$$

where P_{ad} denotes the probability that the AdMo gate is open, and is assumed to be constant. Here and throughout the article, h denotes Hill coefficient, k is the rate constant, K is the dissociation constant, P_o is the open probability of the channel, P_m is the open gate probability of the m -type module, and $[X]$ is the concentration of the X species. A site's occupancy is valued 1 (or 0) if the ligand is (or is not) bound to that site.

Where not specified, $h = 1$ for all ATP binding reactions. The rate of IP₃ dissociation is 5 s^{-1} (15) unless otherwise stated, whereas the ATP dissociation rate constant is set to 0.05 s^{-1} for all ATP sites in the activation module (see Channel Inactivation).

To obtain the equilibrium open gate probability of every module we consider first-order kinetics for all state transitions, using mass balance equations to describe the time variation in state fractions, and the thermodynamical constraints, as

$$E_{L_n,0j}^m \times E_{L_n,1j}^m = E_{L_n,1j}^m \times E_{L_n,0j}^m \quad (2)$$

where $E_{L_n,ij}^m = k_{L_n,ij}^{m,off}/k_{L_n,ij}^{m,on}$ is the equilibrium constant of the binding reaction of the n -type ligand L_n ($n = 1, 2$, or 3 , corresponding to $L_n \equiv \text{IP}_3$, Ca^{2+} and ATP, respectively) in the m -type module when the occupancies of the other two ligand sites are i and j , respectively, written in the order IP_3 , Ca^{2+} , and ATP. The on-rates are of the form $k_{L_n,ij}^{m,on} = k_{L_n,ij}^{m,off} \times ([L_n]/K_{L_n,ij}^{m,h})^{h_{L_n,ij}^m}$, where $h_{L_n,ij}^m$ is the Hill coefficient of L_n binding to its site in the m -type module, with the other two ligand sites having occupancies i and j , respectively. $K_{L_n,ij}^m$ is the dissociation constant of L_n under the same conditions.

Equilibrium state probabilities are calculated numerically by solving the ordinary differential equations (ODEs) describing kinetics of each state fraction and extracting the solution values in steady state. Within analyses of channel activity at steady state, inactivation is not considered (see Channel Inactivation), so transitions to inactive states in Figs. 1 and 2 are not included in the equations.

It is assumed that both IP_3 and Ca^{2+} bind with $h = 1$ to their sites in the adaptation module. According to the reactions, both IP_3 and Ca^{2+} can bind to their respective sites with two different affinities, depending on the module state. The respective dissociation constants are denoted $K_{L,ij}^{\text{ad}}$ ($i, j = 1$ or 2) when the ligand L binds to its site with the module being in conformation Ci and then changing conformation to Cj . The apparent affinity of each ligand for its site is determined by the module state distribution and the two distinct dissociation constants characteristic to the ligand. The apparent K_d values derive from $f_{\text{bound}} = [L]_{\text{free}}/([L]_{\text{free}} + K_d)$, where L is the ligand (IP_3 or Ca^{2+}) and f_{bound} is the fraction of L -bound states in steady state, calculated according to the respective reaction scheme. The peculiar structure of the adaptation module state diagram determines a constant value for the total fraction of states in one of the two possible conformations, as well as for the apparent K_d of both ligands. These properties were numerically tested over large ranges of IP_3 and Ca^{2+} concentrations. The rate constant k_{21} corresponding to the spontaneous change from conformation $C2$ to $C1$ is calculated from equating the open gate probability of the adaptation module to $P_{\text{ad}} = k_{21}/(k_{12} + k_{21})$, where k_{12} is the rate of spontaneous conversion from $C1$ to $C2$.

When analyzing the single channel data of Mak et al. (6–9), two distinct values are obtained for each measured quantity, τ_o , namely, P_o (mean open time), and τ_c (mean close time). The actual value corresponds to the real value, which would be obtained if all the events were recorded (i.e., time resolution $\tau_d = 0$), whereas the apparent value corresponds to the measured value, obtained with $\tau_d = 0.2$ ms. The difference between the two values reflects errors in discriminating open from closed channel events, which determine part of the events to be missed during recordings. The kinetic parameters derived from fit to these data (presented in Table 1, column *CA-nm*) are the only rate constants appearing in the calculation of τ_o and τ_c at steady state (see Appendix 2 in Ref. 18).

All the data analyzed in the article are estimated from published articles. Whenever possible, effort has been made to have model parameter values as close as possible among data sets. The criterion has been used all over the fit procedure in analyses of channel activity, IP_3 binding, and channel inactivation, and the values selected in Table 1 are obtained on this basis. Particular attention has been given to the confrontation between model parameters fit to the data obtained with IP_3 binding to cerebellar microsomes (10) and those obtained, respectively, with studies on membrane permeability of intracellular Ca^{2+} stores in permeabilized hepatocytes (38), because the cellular conditions defined with the two experimental procedures involve the highest degree of similarity among all the data analyzed in this article, and are closest to the *in vivo* conditions.

The highest number of data was provided by experiments performed with *Xenopus* oocytes. The informative data on the dependence of $\text{IP}_3\text{R1}$

inhibition on ATP are quite few; however, we estimated that the inhibition module is saturated by ATP at 0.5 mM. In particular, from our findings, ATP binding to the activation module results to have low affinity. Therefore the nominal InMo -dissociation constant $K_{\text{ATP},10}$ is fixed at the 17 μM value of the high affinity site (30). We first fit the model to the data obtained at 10 μM IP_3 , including P_o , open-, and close-dwell-times (6,8). At this level, inhibition is maximal (6,9), meaning that the inhibition module is saturated with IP_3 . We obtain the parameters indexed with superscripts (\parallel) in the column *CA-nm* of Table 1. For the ATP dependence of receptor activation, P_o is approximated to $P_{\text{act}} \times P_{\text{ad}}$ since the inhibition module has, effectively, no Ca^{2+} bound. Then the rest of the parameters defining binding of ATP to the activation module (labeled with \dagger in Table 1) are estimated from fit to other data (7). The three remaining parameter values (indexed with $\dagger\dagger$ in Table 1) are extracted from fit of IP_3 and Ca^{2+} dependencies of the P_o (6,8,9). Parameters labeled with \P in the adaptation module are estimated exclusively from dwell-time information. The procedure is repeated for 0 ATP-data.

Because of the lack of sufficient data, some of the parameter values are shared among other sets, especially $K_{\text{Ca},01}^{\text{act}}$ and $h_{\text{Ca},01}^{\text{act}}$, or $K_{\text{Ca},10}^{\text{inh}}$ and $K_{\text{Ca},11}^{\text{inh}}$, which are taken from the *Xenopus* set, whereas $K_{\text{Ca},00}^{\text{inh}}$ is dissipated from the *CA-lb* set. The consistency of the results validates this option. In analyses of IP_3 binding, P_{ad} and $K_{\text{Ca},12}^{\text{ad}}$ are each tested on two values, obtained with the sets *CA-lb* or *In*, and the best fit is kept. Where not specified, certain values of Table 1 copy the most reliable value among columns. If such a value does not provide reasonable fit, it is treated as a variable. The same principle applies also for various K - and h -parameters characterizing a certain ligand in *AMo* and *IMo*, within every single column of the table. All these simplify the fitting to a reasonable number of parameters. For example, with the fit in Figs. 4 and 5, eight and five parameters are estimated, respectively; in this particular case, the fitting is performed in two stages. First, the best fit is obtained separately for each set of data. Then, the common parameters are varied in a common range covering the values already obtained, and the best parallel fit is selected. With these values, the fitting moves forward to the data on the modulation by IP_3 of the P_o values Ca^{2+} dependencies at 0 or 0.5 mM ATP. From the fit shown in Fig. 3 (*upper panel*), three parameter values are determined. The fit of the data in Fig. 3 (*lower panel*) and related dwell-time data at 33 nM IP_3 (8) (not shown) provides two other parameter values. For other data presented in Figs. 7 and 10, twelve and, respectively, six variable parameters are required. Fig. 9 (*upper and lower panels*) is obtained with 10- and six-parameter fits, respectively.

Analysis of IP_3 binding

In the IP_3 binding analyses we assume that the receptor has an IP_3 regulatory site with apparent $K_d = 10 \mu\text{M}$ ($h = 1$), and that an additional, high affinity site is present in microsome preparations, with $K_d^{\text{hi}} = 0.3 - 0.5 \text{ nM}$ ($h = 1$) as we obtained from fit to the data. The high affinity IP_3 site is assumed to bind IP_3 through a simple one-step reaction and results to be located on IP_3Rs other than the IP_3R type-1 (see the *last row* in Table 1 and explanations in the text). In addition to these two classes of IP_3 sites, three other classes of sites, each one belonging to a receptor module, contribute to the total quantity of bound IP_3 .

IP_3 bound to the receptor is calculated by summing the products of the following terms, each one corresponding to a certain class of IP_3 binding sites: site abundance, apparent number of IP_3 molecules bound to the IP_3 sites of the respective site class, and receptor concentration. The apparent number of IP_3 molecules bound to a certain module is determined by summing the fraction of each IP_3 bound-state within that module, times the Hill coefficient of IP_3 binding to the respective state. Site abundances are denoted n_A , n_I , n_{Ad} , and n_{hi} in the lowest row of Table 1 and correspond to the IP_3 sites located on the activation, inhibition, and adaptation modules, and, respectively, to the high-affinity IP_3 site existent in the respective microsome preparation. For each of the activation, inhibition, and adaptation modules the fraction of states with bound IP_3 equals the sum of the steady-state probabilities corresponding to the module being in one of the four possible

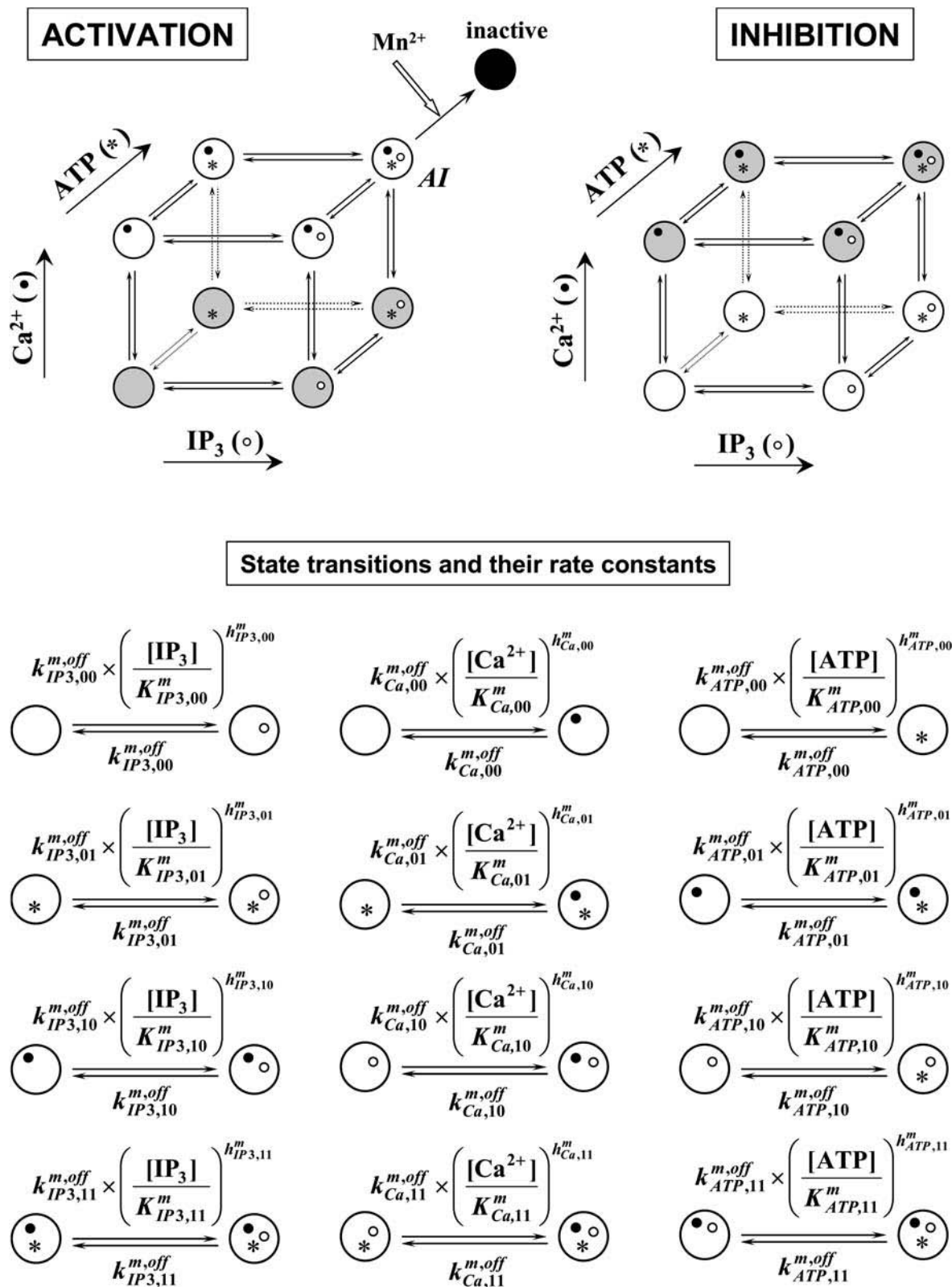


FIGURE 1 States and transitions within activation and inhibition modules of the IP₃R1. Open and shaded circles represent states with open and closed gates, respectively. Ligands bound to the module are marked by symbols inside the circles. Detailed state transitions have common forms in both modules ($m \equiv act$ or $m \equiv inh$ in the activation and inhibition modules, respectively) and are represented without reference to the gate configuration (open/closed). The state denoted *AI* in the activation module can enter an inactive form (*solid circle*) when the charge carrier Mn^{2+} binds to a inner site of the channel.

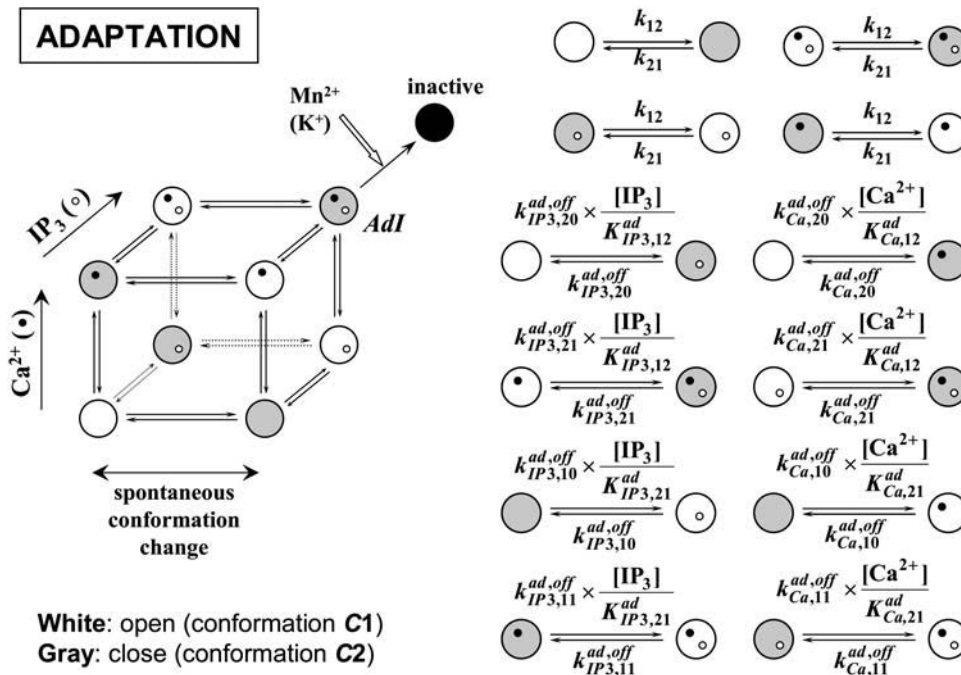


FIGURE 2 The adaptation module of the IP₃R1 is operated by IP₃, Ca²⁺ and the interconversion between two possible conformations, C1 and C2, with open and, respectively, closed gates. The state AdI is rendered inactive (solid circle) when Mn²⁺ (or K⁺) binds to an inner site of the channel.

states with the IP₃ site occupied. The IP₃-bound state fraction of the high-affinity site is computed as $[\text{IP}_3, \text{free}]/([\text{IP}_3, \text{free}] + K_d^{\text{hi}})$. The receptor concentration is calculated such that the same apparent K_d values are obtained as derived from the original Scatchard plots (10,29).

Simulation of channel inactivation

The time variation of P_o after IP₃ stimulation is calculated numerically by solving the kinetic equations (ODEs) corresponding to the reactions in each module, followed by multiplication of all three open gate probabilities at every instant. Inactivation of a certain state is equated by subtracting from the ODE right-hand side a term of the form $f_{\text{st}}/\tau_{\text{st}}$, where f_{st} is the instantaneous fraction of that state and τ_{st} its inactivation time constant.

The cytosolic conditions are fixed by levels of 2 mM ATP and 300 nM Ca²⁺, and the time constant for IP₃ degradation is $\tau_{\text{IP}_3} = 12$ min (calculated from data in Ref. 38). Addition of 7.5 μM IP₃ takes place firstly at $t_1 = 0$ and then at a specified moment after the first pulse. The IP₃ concentration varies according to the equation

$$d[\text{IP}_3]/dt = r + r_b - [\text{IP}_3]/\tau_{\text{IP}_3}, \quad (3)$$

where the rate of IP₃ addition is $r = 7.5 \mu\text{M}/\Delta t$ in the time interval $(t_a, t_a + \Delta t)$ starting with the moment t_a of IP₃ addition, and $r = 0$ otherwise. The time of IP₃ addition is $\Delta t = 1$ s; however values $\Delta t < 1$ s lead to similar results. The basal IP₃ production rate $r_b = [\text{IP}_3]_b/\tau_{\text{IP}_3}$ with the basal level of IP₃ set to $[\text{IP}_3]_b = 1$ nM.

The variation in the Mn²⁺ content inside the stores is obtained by considering the same constant value of the single channel current for all the IP₃Rs. The rate of Mn²⁺ increase is given by the Mn²⁺ current through the membrane, which is proportional to the open probability of the IP₃Rs. Each Mn²⁺ profile is then obtained, in arbitrary units, by integrating P_o over time after the moment of Mn²⁺ addition, which is specified for each trace. It is assumed that quenching of fura-2 fluorescence by Mn²⁺ (obtained experimentally) is proportional to the Mn²⁺ content (calculated by model simulation), so both traces should have identical time courses. On some simulated traces a Gaussian noise is superimposed with standard deviation

chosen so as to yield a noise magnitude similar to that observed experimentally in the fluorescence signal (38).

RESULTS

Model construction

We proposed previously (18) a model, and we have found it was the minimal one, to describe P_o , τ_o , and τ_c dependence on Ca²⁺ at saturating levels of IP₃ (10 μM), as well as both ATP- and Ca²⁺-dependence of P_o in the activation region. The model was defined with three 4-state modules that drive independent gates responsible for activation/inhibition/inactivation of the channel. Here we improve that model to describe more data and reproduce the P_o , τ_o , and τ_c dependence on Ca²⁺, IP₃, and ATP, as well as the IP₃ binding characteristics and the inactivation of the channel.

It is important to stress the major idea of the modeling procedure. Such an empirical formulation of the P_o dependence with Ca²⁺ and IP₃ as found to describe the data in *Xenopus* oocytes (6,7) can be explained by at least three independent gates, of which two depend, at steady state, on Ca²⁺ and IP₃ concentrations whereas the others do not. To simplify the model, we consider only three such gates that act independently, leading to channel activity only when all of them are simultaneously open. For each gate-associated module now we introduce molecular mechanisms able to explain various experimental observations. The state-transition diagram of each module is constructed as the simplest state-configuration that agrees with all of the findings taken into account.

The activation module of the IP₃ receptor is responsible for the stimulation of channel in the low-domain of cytosolic

TABLE 1 Parameter values derived from model fit to different data of channel activity, IP₃ binding to cerebellar membranes, and channel inactivation

Parameter	Value					
	CA-lb	CA-nm	B-I	B-II	B-III	In
Activation module						
$K_{IP3,00}^{act}$ (nM)	210 ± 10 (220)*	220	130*	220	8*	220
$h_{IP3,00}^{act}$	1.75 ± 0.25 (2)*	1	1	1	1	1
$K_{IP3,01}^{act}$ (nM)	50*	220–300*	260*	2500*	n.d.	2500*
$h_{IP3,01}^{act}$	1.75 ± 0.25 (2)	1	1	1	n.d.	1
$K_{IP3,10}^{act}$ (nM)	210 ± 10 (220)	220	130	220	12 [†]	220
$h_{IP3,10}^{act}$	1.75 ± 0.25 (2)	1	1	1	1	1
$K_{IP3,11}^{act}$ (nM)	50	220–300	260	2500	n.d.	2500
$h_{IP3,11}^{act}$	1.75 ± 0.25 (2)	1	1	1	n.d.	1
$K_{Ca,00}^{act}$ (nM)	585 ± 15 (580)*	550 ± 50 (520)* ^{‡§}	550	550	450*	600*
$h_{Ca,00}^{act}$	1.55 ± 0.15 (1.8)*	1.65 ± 0.15 (1.8)* ^{‡§}	2*	2	2	1.5*
$K_{Ca,00}^{act,off}$ (s ⁻¹)	103.3 [¶]	175 ± 25 (180)* [§]	n.d.	n.d.	n.d.	180
$K_{Ca,01}^{act}$ (nM)	8	10 ± 2 (8)*	8	8	n.d.	8
$h_{Ca,01}^{act}$	2.2	2.25 ± 0.25 (2.2)*	2.2	2.2	n.d.	2.2
$K_{Ca,01}^{act,off}$ (s ⁻¹)	103.3 [¶]	375 ± 75 (400)*	n.d.	n.d.	n.d.	400
$K_{Ca,10}^{act}$ (nM)	585 ± 15 (580)	550 ± 50 (520)	550	550	550	600
$h_{Ca,10}^{act}$	1.55 ± 0.15 (1.8)	1.65 ± 0.15 (1.8)	2	2	2	1.5
$K_{Ca,10}^{act,off}$ (s ⁻¹)	103.3 [¶]	175 ± 25 (180)	n.d.	n.d.	n.d.	180
$K_{Ca,11}^{act}$ (nM)	8	10 ± 2 (8)	8	8	n.d.	8
$h_{Ca,11}^{act}$	2.2	2.25 ± 0.25 (2.2)	2.2	2.2	n.d.	2.2
$K_{Ca,11}^{act,off}$ (s ⁻¹)	103.3 [¶]	375 ± 75 (400)	n.d.	n.d.	n.d.	400
$K_{ATP,00}^{act}$ (mM)	750 ± 250 [†]	390 ± 210 [†]	310 [†]	109 [†]	n.d.	2500 [†]
$h_{ATP,00}^{act}$	1	1.3 ± 0.1 (1.2)	1	1	n.d.	1
$K_{ATP,01}^{act}$ (μM)	685 ± 285 [†]	175 ± 15 (169) [†]	25 [†]	8.8 [†]	n.d.	132 [†]
$h_{ATP,01}^{act}$	1	1.3 ± 0.1 (1.2)	1	1	n.d.	1
$K_{ATP,10}^{act}$ (M)	0.04 [†]	0.39 ± 0.21 [†]	0.62 [†]	1.2 [†]	n.d.	29 [†]
$h_{ATP,10}^{act}$	1	1.3 ± 0.1 (1.2)	1	1	n.d.	1
$K_{ATP,11}^{act}$ (μM)	50 (20)*	175 ± 15 (169) [‡]	50	100*	n.d.	1500*
$h_{ATP,11}^{act}$	1	1.3 ± 0.1 (1.2) [‡]	1	1	n.d.	1
Inhibition module						
$K_{IP3,00}^{inh}$ (nM)	52.5	8.45* ^{^^}	28*	300*	13*	300*
$h_{IP3,00}^{inh}$	1.5	6	1.185*	1.185	1.2*	1
$K_{IP3,01}^{inh}$ (nM)	52.5 ± 2.5 (55)*	11.5 ± 0.5 (12)* ^{††}	28	300	n.d.	300
$h_{IP3,01}^{inh}$	1.5 ± 0.3 (1.3)*	6 ± 0.25 (6)* ^{††}	1.185	1.185	n.d.	1
$K_{IP3,10}^{inh}$	190 ± 136 μM [†]	213 ± 33 nM [†]	610 μM [†]	37 mM [†]	31 mM [†]	34 M [†]
$h_{IP3,10}^{inh}$	1.5	6	1.185	1.185	1.2	1
$K_{IP3,11}^{inh}$	121.5 ± 70 μM [†]	165 ± 11 nM [†]	464 ± 85 nM [†]	11.5 mM [†]	n.d.	4.2 M [†]
$h_{IP3,11}^{inh}$	1.5 ± 0.3 (1.3)	6 ± 0.25 (6)	1.185	1.185	n.d.	1
$K_{Ca,00}^{inh}$ (nM)	90	90	120*	100*	90	100*
$h_{Ca,00}^{inh}$	2.5	2.75 ± 0.25 (3)* ^{^^}	1.75*	2*	2.5	3*
$K_{Ca,00}^{inh,off}$ (s ⁻¹)	81 [¶]	20*	n.d.	n.d.	n.d.	20
$K_{Ca,01}^{inh}$ (nM)	85 ± 5 (50)*	90	120	100	n.d.	100
$h_{Ca,01}^{inh}$	2.55 ± 0.05 (2.7)*	1.35 ± 0.05 (1.3)* ^{††}	1.75	2	n.d.	3
$K_{Ca,01}^{inh,off}$ (s ⁻¹)	81 [¶]	5 ± 4.9 (2)*	n.d.	n.d.	n.d.	2
$K_{Ca,10}^{inh}$ (μM)	104	104 ^{‡‡}	104	104	104	104
$h_{Ca,10}^{inh}$	1.5	4 ^{‡‡}	1.75	2	2.5	3
$K_{Ca,10}^{inh,off}$ (s ⁻¹)	81 [¶]	180* [§]	n.d.	n.d.	n.d.	180
$K_{Ca,11}^{inh}$ (μM)	52	52 ^{‡‡}	0.8 ± 0.1 (0.9)*	52	n.d.	52
$h_{Ca,11}^{inh}$	1.35 ± 0.15 (1.2)*	4 ^{‡‡}	1.75	2	n.d.	3
$K_{Ca,11}^{inh,off}$ (s ⁻¹)	81 [¶]	50*	n.d.	n.d.	n.d.	50
$K_{ATP,00}^{inh}$ (μM)	17 ± 7.5 [†]	0.75 ± 0.41 [†]	17 [†]	17 [†]	n.d.	17 [†]
$K_{ATP,01}^{inh}$ (μM)	12.9 ± 7.1 [†]	9 ± 4.9 [†]	17 [†]	17 [†]	n.d.	17 [†]

(continued)

TABLE 1 (Continued)

Parameter	Value					
	CA-lb	CA-nm	B-I	B-II	B-III	In
$K_{ATP,10}^{inh}$ (μ M)	17	17 ^{§§}	17	17	n.d.	17
$K_{ATP,11}^{inh}$ (μ M)	$9.8 \pm 1^{\dagger}$	1.56 [†]	0.005 [†]	6.25 [†]	n.d.	6.25 [†]
Adaptation module						
k_{12} (s^{-1})	0.065 [¶]	185 ± 35 (170) ^{* §}	n.d.	n.d.	n.d.	0.065 [*]
$K_{Ca,12}^{ad}$ (μ M)	0.072 [¶]	25 [¶]	0.072	2.5	0.072	2.5 [*]
$K_{Ca,21}^{ad}$ (μ M)	58 [†]	$1.4 \pm 0.6^{\dagger}$	58 [†]	80.3 [†]	58 [†]	80.3 [†]
$k_{Ca,20}^{ad,off}$ (s^{-1})	800 [¶]	2 [¶]	n.d.	n.d.	n.d.	500 [*]
$k_{Ca,10}^{ad,off}$ (s^{-1})	1.3 [¶]	2 [¶]	n.d.	n.d.	n.d.	50 [*]
$k_{Ca,21}^{ad,off}$ (s^{-1})	4.8 [¶]	2 [¶]	n.d.	n.d.	n.d.	50 [*]
$k_{Ca,11}^{ad,off}$ (s^{-1})	1.6 [¶]	2 [¶]	n.d.	n.d.	n.d.	50 [*]
$K_{IP3,21}^{ad}$ (μ M)	15 [¶]	0.2 [¶]	6.5 ± 1.5 (5)	5	0.22	1.1 ± 1 (0.6) [*]
$K_{IP3,12}^{ad}$ (nM)	18 [†]	$3600 \pm 2800^{\dagger}$	10 [†]	156 [†]	0.3 [†]	34 ± 31 (19) [†]
$k_{IP3,j}^{ad,off}$ (s^{-1}) ^{¶¶}	3 [¶]	5	n.d.	n.d.	n.d.	5
$k_{IP3,11}^{ad,off}$ (s^{-1})	0.025 [¶]	5	n.d.	n.d.	n.d.	5
P_{ad}	0.034 [*]	0.81 ± 0.04 (0.07) [*]	0.034	0.15	0.034	0.15 [*]
Apparent						
K_{IP3}^{ad} (nM)	528 ^{***}	853 ± 280 (670) ^{***}	230 ± 53 (177) [*]	882 [*]	7.8 [*]	194 ± 177 (106) ^{***}
Apparent						
K_{Ca}^{ad} (μ M)	2.05 ^{***}	5.86 ± 1.45 ^{***}	2.05	14.2	2.05	14.2 ^{***}
IP₃ site abundancies						
$n_A:n_I:n_{Ad}:n_{hi}$	1:1:1:(n.d.)	1:1:1:(n.d.)	1:1:1:(0.0125 [*])	1:1:1:0.0125	1:1:1:(0.02 [*])	1:1:1:(n.d.)

CA-lb and CA-nm stand, respectively, for channel activity in lipid bilayers (data from Ref. 4) and in nuclear membranes (data from Refs. 6–8). The values in parentheses of column CA-lb are obtained with data of Moraru et al. (10) and are used in the graph of Fig. 8. The values in parentheses of column CA-nm are common to all graphs in Figs. 3–6. B-I and B-II correspond to binding data of Moraru et al. (10), obtained with 0.5 mM ATP at 0° and 22°C, respectively, and B-III to data of Cardy et al. (29), obtained with 0 ATP at 2°C. The parameter values collected in column In are obtained from fit to the data of Hajnoczky and Thomas (18), shown in Figs. 11 and 12. The data have been obtained at 35°C, in the presence of 2 mM ATP. The values in parentheses of column In are used in simulations in Figs. 11–13.

*Variable parameters.

[†]Derived according to the thermodynamical equilibrium constraint; values are representative for 1 μ M Ca²⁺.

[‡]Estimated from fit to data on modulation by ATP of IP₃R activation (7; and see Fig. 5 in Ref. 18).

[§]Obtained from fit to data at 10 μ M IP₃ and 0 mM ATP (7,8; and see this article, Fig. 5).

[¶]Estimated from data on the open dwell-times (6–8,10).

^{||}Obtained from fit to data at 10 μ M IP₃ and 0.5 mM ATP (6,8,9; and see this article, Fig. 4).

^{**}Estimated from fit to data on modulation by IP₃ of P_o 's Ca²⁺-dependence at 0 mM ATP (Ref. 8; and see this article, Fig. 3, lower panel) and dwell-time data with 33 nM IP₃ and 0 mM ATP (8) (not shown).

^{††}Estimated from fit to data on modulation by IP₃ of P_o 's Ca²⁺-dependence at 0.5 mM ATP (Refs. 6,8,9; and see this article, Fig. 3, upper panel).

^{‡‡}Taken from the literature (6,8).

^{§§}Taken from the literature (30).

^{¶¶} $j = \{10\}, \{20\}, \text{ or } \{21\}$.

^{|||}Taken from the literature (15).

^{***}Calculated from equilibrium values of total binding to the adaptation module.

calcium concentrations, where the inhibitory effect of Ca²⁺ is absent. The module is operated by Ca²⁺ and ATP (18) as one can readily deduce from direct observation of the P_o , τ_o , and τ_c data obtained with the channel in the outer nuclear membrane of *Xenopus* oocytes (6,7). The dwell-time data in conjunction with the P_o -data can only be explained by allosteric regulation of the activation module by Ca²⁺ and ATP (18), which requires at least four states of the module. Interestingly, with the receptor reconstituted into lipid bilayers (4,10) the activation module appears also to be IP₃-regulated since with 20 nM IP₃ the IP₃R1 activity in the activation region is 10-fold reduced as with 200 nM or

higher IP₃ concentrations. Although the data in the former set is not sufficient to evidence that feature (as seen in Fig. 3 here, it is not clear from the data whether AMo is sensitive to variations in IP₃ in the *Xenopus* nuclear membrane), we collect both observations and draw the conclusion that gating in the activation module is allosterically controlled by IP₃, Ca²⁺, and ATP.

To make this statement one has to assume that the gating mechanisms are the same in both membrane systems and the resulting differences in channel behavior are purely quantitative. In fact this is exactly the basic rationale of the article, for we intended to see whether the variability observed in

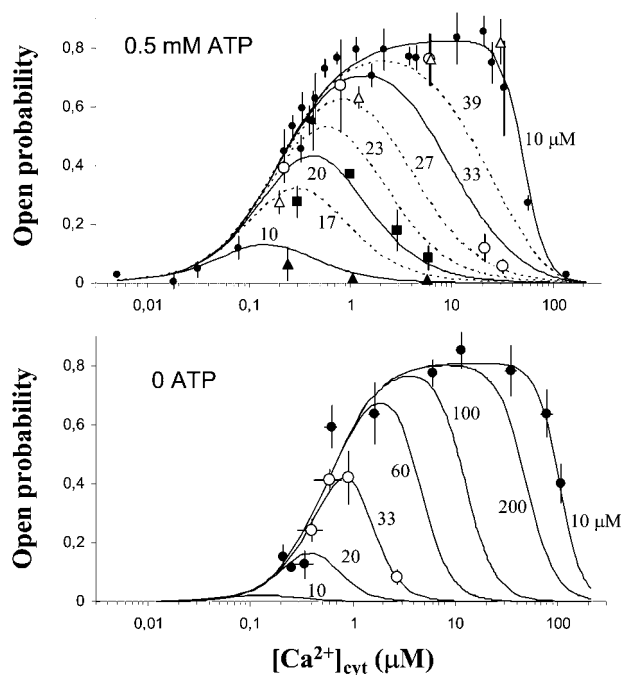


FIGURE 3 The $[Ca^{2+}]_{\text{cyt}}$ dependence of the IP₃R1 open probability in the presence of 500 μM or 0 ATP, exhibited by channels within nuclear membranes of *Xenopus* oocytes. Curves are theoretical fits to the data and predictions for IP₃ concentrations other than those used in experiments. Values next to curves represent IP₃ concentrations in nM, unless otherwise specified. In the upper panel, data from Ref. 6 are represented as solid triangles, solid squares, open circles, solid circles, and open triangles, corresponding to 10 nM, 20 ± 3 nM, 33 ± 6 nM, 100 nM, and 10 μM IP₃, respectively. The second and third datasets are to be confronted with the two regions delimited by dashed lines (squares to the 17–23 region, open circles to the 27–39 domain), to correct for variations in the IP₃ level. In the lower panel, open and solid circles represent data of Mak et al. (8), obtained with 0 ATP, and 33 nM or 10 μM IP₃, respectively.

different data can be explained by considering the same molecular processes and, if so, to find the quantitative differences in ligand affinities and Hill coefficients associated to each data set obtained under different experimental conditions. One major observed discrepancy, which is discussed in this section, comes from the observation that under closely similar conditions on the cytosolic side of the receptor the maximal activity of the channel appears to vary ~ 20 -fold in the two different membrane systems mentioned before. Other sources of variability will be addressed in the next sections.

So, the state-structure of the activation module is defined with allosteric regulation by IP₃, Ca^{2+} , and ATP, and the corresponding state-transition diagram is shown in Fig. 1.

Upon further raising cytosolic $[Ca^{2+}]$, the channel becomes increasingly inhibited. In this region, the behavior is dominated by the inhibition module, which is less active, whereas the activation gate may remain continuously open. As the data indicate (4,5–8,10), IP₃ is an important modulator of the calcium inhibitory effect (18). The inhibition module can therefore exist in one of at least four states.

We characterize this module better than in our previous work (18), with more recent results on IP₃R1 regulation by ATP (8) included in the present analysis. These data require ATP to modulate channel inhibition by Ca^{2+} . Taken together, all the data mentioned above point to the existence of three regulatory sites within IMo, namely one ATP, one IP₃, and one Ca^{2+} binding site, and a similar state distribution within AMo and IMo (see Fig. 1) derives naturally after a summary inspection of the P_o data. The difference is that Ca^{2+} binding in the AMo opens the AMo gate; Ca^{2+} binding in the IMo closes the IMo gate; ATP binding in the AMo stimulates opening of the AMo gate by Ca^{2+} ; and ATP binding in the IMo reduces opening of the IMo gate by Ca^{2+} .

The two modules are not sufficient to reproduce the observed behavior of the channel, since with appropriate Ca^{2+} levels both gates virtually remain continuously open (the open gate probability in both modules is ≈ 1). Therefore, to obtain agreement with experimental data in both cases (native and artificial membranes), including P_o , τ_o , and τ_c data, the model is constrained to include one other regulatory module, the adaptation module, characterized by constant (i.e., Ca^{2+} , IP₃, and ATP-independent) and subunitary steady-state probability of the open gate, P_{ad} . It follows then that P_{ad} represents the maximal open probability of the channel reached at steady state.

The model predicts that the Ca^{2+} , IP₃ and ATP dependence of channel's activity at equilibrium is determined by the AMo and IMo modules only. However, we found that the model established in the simplest possible form (see below) is not able to simulate several observed features related to the inactivation of the channel by Ca^{2+} and IP₃. In vivo kinetic studies on Ca^{2+} release indicate that after double IP₃ pulse delivery to *Xenopus* oocytes, the second release event gets weaker if the interval between pulses is successively increased up to 30 s, and the process occurs with a half-time of ~ 10 s. For a 30-s interval, the inhibition of the release is $\sim 80\%$ relative to the case of simultaneous IP₃ delivery. Metabolism of IP₃ is slow both in *Xenopus* oocytes (half-life 60 s, see Ref. 39) and in permeabilized hepatocytes (half-life 12 min., calculated from the data of Ref. 38), so it is more likely that the observed release inhibition is due to a ligand-induced inactivation of the IP₃R1 rather than IP₃ degradation, as suggested by Callamaras and Parker (39). In favor of this, other measurements (5) of the IP₃R1 activity in the nuclear membrane of the oocyte evidenced an inactivation process at the receptor level, with a time constant of 30 s (discussed later, in Channel Inactivation). Calcium release events after IP₃ photolysis in *Xenopus* oocytes (40) show IP₃-dependent time courses that are similar (17) to those obtained from superfusion of ^{45}Ca -loaded hepatic microsomes (41). In these and other similar (42) cases the release is fast, at variance with the slow channel inactivation detected in hepatocytes, where the unwanted effects of the cytosolic and luminal Ca^{2+} dynamics on the ion permeation properties were avoided by eliminating

the Ca²⁺ fluxes (38). The type-2 IP₃ receptor (IP₃R2) is the major expressed subtype in hepatocytes, with ~80% abundance (43). In this cell type the Ca²⁺ channel is subjected to an IP₃- and Ca²⁺-dependent slow inactivation (38), and channel inhibition reaches ~70% after preincubation with 7.5 μM IP₃ for 30 s.

Given these and other similarities (e.g., the dual effect of cytosolic calcium on the open probability) between type-1 and type-2 receptors, we assume that the ligand-dependence of channel inactivation is common to both forms. To strengthen this choice, we observe that:

1. Both IP₃R1 and IP₃R2 exhibit intrinsic inactivation.
2. The fraction of IP₃R2 in hepatocytes is 0.8 of total IP₃Rs.
3. In hepatocytes the intrinsic IP₃Rs inactivation displays, depending on the preincubation time, one or two exponential components of equal weights.

If inactivation were different between IP₃R subtypes, at least one more exponential component would be detected, of smaller pool size. So, we will consider that inactivation follows the same time course in IP₃R1 and IP₃R2 and use identical inactivation parameter values for both receptor types. As we will discuss in a subsequent section, the differences between IP₃R1 and IP₃R2 with regard to the calcium effect on the receptor affinity toward IP₃ are explained here by regulation due to AMo and IMo only, since, according to our model, channel inactivation does not affect that (see the next sections). Moreover, we have found that most of the observed differences between IP₃R subtypes can be understood as consequences of variations in parameter values (not shown). The same treatment applies also for the differences in the Ca²⁺ and IP₃ ranges of action on a channel's P_o (8,11,12,44).

We were not able to fully explain inactivation assuming that gating dynamics of the adaptation module are independent of Ca²⁺ and IP₃ (not shown). We have reasoned then that the adaptation element has to contribute as well to channel inactivation, and is therefore considered to be driven by Ca²⁺ and IP₃ binding reactions, yet yielding in steady state a constant (i.e., not dependent on Ca²⁺, IP₃, and ATP concentrations) open probability of the adaptation gate.

We consider that the adaptation module has a two-ligand (namely Ca²⁺ and IP₃) pattern, constrained by two experimental observations:

1. The channel recovers from inactivation after IP₃ removal or Ca²⁺ buffering (38).
2. In lipid bilayers the two components of the open dwell-time distribution appear to vary with the Ca²⁺ concentration (10).

The latter observation is not consistent with the IP₃R1 model above unless the adaptation module has at least one open state whereby the gate is closed by Ca²⁺ binding. In addition, to reproduce channel inactivation we add allosteric

reactions in completion of the kinetic diagram, similarly to the one-ligand case (45), where, to obtain constant open gate probability, the exact adaptation condition must apply (45). That such a strong and inflexible constraint can apply to ligand binding reactions is hardly conceivable; instead, the exact adaptation requirement can be more readily met by transitions reflecting conversions between different conformations of the module.

Based on these observations, we obtain the transition- and state-configuration in the two-ligand (IP₃ and Ca²⁺) AdMo module as presented in Fig. 2. It is assumed that every time IP₃ or Ca²⁺ bind to, or dissociate from their AdMo sites, the module changes conformation, and, in addition, there is an auto-switch mode determined by spontaneous conversion between two possible conformations (C1 and C2) of the receptor. This particular combination between an autonomous change mode and the existence of only two possible conformations ensures that the exact adaptation requirement is always met, with no need to unnaturally force the respective transition rates. With the present module structure we obtain (not shown) that indeed the equilibrium open gate probability does not depend on IP₃ and Ca²⁺ concentrations, and neither does the apparent affinity of either ligand.

It will be certainly difficult to test such a molecular description of the adaptation module. However, the fact that it can reproduce IP₃R inactivation, whose mechanisms are unknown at present, makes it a good starting point and, corroborated by several other observations discussed below, lends support for other experiments designed to clarify the nature of inactivation. Recent findings on the three-dimensional structure of the IP₃R1 indicate (23,46) that the receptor presents two different conformations, which viewed from the top have either a square- or a windmill-like appearance (S- and W-conformations). The second conformation is favored at high Ca²⁺ concentration. However, it is not induced exclusively by Ca²⁺ binding to the receptor, since even in the absence of Ca²⁺ (and IP₃, too) the ratio of states W/S is ~0.5 (this supports our hypothesis on the spontaneous conversion mode). There are two possible reasons for this behavior. One is that Ca²⁺ is an allosteric factor that is affecting the rate of the IP₃R structural changes. The other one is that the same state conversion, S-to-W, can be performed in two different ways: induced by Ca²⁺ binding or through a Ca²⁺-independent step. The first scenario applied to the adaptation module involves that the equilibrium open gate probability depends on Ca²⁺ concentration. Therefore, our model agrees with the second possibility. The Ca²⁺-independent step is considered as a spontaneous state conversion, which can take place even in the absence of the ligands. The main assumption here is that Ca²⁺, by binding to the adaptation module in either S/W conformation, acts as a molecular switch and triggers irreversibly a mechanism that destabilizes the respective conformation, which then changes rapidly. In this two-step process (Ca²⁺ binding-conformation change) Ca²⁺ binding is the rate limiting step,

so the reaction scheme in Fig. 2 can apply. Conversely, Ca^{2+} dissociation from the adaptation module switches off the activated mechanism and the receptor resumes its initial configuration. The same mechanism is introduced for IP_3 , too, and is incorporated into the same module, because the roles of IP_3 and Ca^{2+} in IP_3R inactivation are interdependent (38).

There are two other possible limitations of the adaptation modeling approach. The first is that the effect of 1 or 10 μM IP_3 on the receptor conformation was undetectable (23). However, the possibility that IP_3 binding to the adaptation module or the IP_3 effect itself on the receptor conformation could be affected during the respective experimental maneuvers cannot be neglected, and that would explain why such an effect was not observed. A second apparent discrepancy between our model and the data is the observed increase, up to approximately six, of the windmill/square-state ratio in the presence of calcium (23), whereas, according to our model, this ratio should remain constant at equilibrium. A plausible explanation would be that equilibrium was not yet reached at the moment of image recording, and the W/S ratio increase was observed during the transitory regime in the activation module, which develops after calcium application. Existent evidence supporting this idea is the fact that the rapidness of the practical procedures, from receptor purification to application onto the carbon grids for electron microscopy, is critical for the detection of the Ca^{2+} -dependent structural changes (23). This means that images recorded after a sufficiently long time indicate that the W/S ratio is unchanged whether calcium (or IP_3) is present or not, and that would be an important confirmation of the model prediction. This point is also strengthened by the finding of one other group (47), which established in the absence of calcium a pinwheel-like structure of the IP_3R , which is more similar (23) to the windmill-like aspect of the receptor top-view, found to predominate when calcium is present. It has been suggested (23) that in the respective study the receptor has been locked in that state during purification, freezing, and thawing. Nevertheless, it seems highly improbable that all of the IP_3Rs in the sample preparation be locked in the same open state at an early stage of the experiment. Alternatively, the differences between various experimental strategies used in these experiments (e.g., different purification methods, different detergents, or different pH) can determine apparent discrepancies between results, and this issue has been discussed (47). It is therefore possible that the equilibrium W/S ratio, which, according to our model, should be the same in either the absence or the presence of calcium, depends with high sensitivity on the actual experimental conditions. Further diversity is evident at higher pH (8.3), where the $\text{IP}_3\text{R1}$ appears with a flowerlike structure (22) in the absence of calcium. This is consistent with the square-shaped reconstituted image obtained by Hamada and collaborators (23), but the structural details in the side view of the three-dimensional map are different (23).

Channel activity at steady state

The high dimension of the present $\text{IP}_3\text{R1}$ model system (8^3 total states, with 4^3 open states) can be easily reconciled with the small number, namely 2, of distinct open time components detected experimentally (5,8,10). Using rate constant values given in Table 1, column *CA-nm*, for the transitions within the AMo and IMo, one obtains a two-component open-time histogram with 0.5 mM ATP if IP_3 and Ca^{2+} binding/dissociation are much slower than the rates of spontaneous conformation change, which are high in this case. As one can see later on, with one other data set (see Channel Inactivation) the conformational modifications appear to be very slow. However, the transition rates may be modified during reconstitution (45) or may vary from one system to another (17), so we obtain two distinguishable open time constants similar to those reported in each case (5,8,10), with appropriate kinetic parameters given in Table 1.

In this way, with the three-module (3M-) $\text{IP}_3\text{R1}$ model the dependence of the channel open probability and dwell-times on all three cytosolic factors, IP_3 , Ca^{2+} , and ATP, can be accurately reproduced with parameter values given in Table 1. Fit of the model to the various data on steady-state channel activity is presented in Figs. 3–8.

Moreover, the ATP stimulation of P_o in the activation domain is obtained (not shown) closely similar to the fit in Fig. 5 of our previous article (18), where data from *Xenopus* oocytes were used (8). The dominant ATP binding reaction leading to this effect is effected within the AMo with an estimated affinity (given by $K_d = 160\text{--}190\ \mu\text{M}$, $h = 1.2\text{--}1.4$) similar to the one ($K_d = 270\ \mu\text{M}$, $h = 1$) reported before (7) in *Xenopus*, whereas in bilayers the affinity for ATP of cerebellar $\text{IP}_3\text{R1}$ (10) appears 2.5 times higher ($K_d = 50\ \mu\text{M}$, $h = 1$) than obtained from functional characterization of the rat $\text{IP}_3\text{R1}$ expressed in Sf9 cells and reconstituted into planar lipid bilayers ($K_d = 130\ \mu\text{M}$, $h = 1$) (11,12). In the activation module we obtain that ATP increases the Ca^{2+} affinity: from $K_d = 0.55\ \mu\text{M}$ at 0 ATP one goes to $K_d = 10\ \text{nM}$ at saturating ATP in both types of membranes. Given the lack of data, the AMo sensitivity to IP_3 in oocyte membranes is not well defined (it is not clear whether $\text{IP}_3\text{-}K_d$ is constant or is increased by ATP), but the data obtained with bilayers indicate that ATP increases IP_3 affinity from $K_d = 210\ \text{nM}$ at 0 ATP to $K_d = 50\ \text{nM}$ at saturating ATP.

Within the inhibition module, surprisingly, the 3M-model predicts a very high cooperativity ($h = 6$, higher than $h = 4 \pm 0.5$ obtained by Mak et al., see Ref. 6, with a biphasic Hill equation) of IP_3 in binding its IMo site in oocyte nuclear membranes, as compared to the low value ($h = 1.5 \pm 0.3$) obtained with the receptor reconstituted into bilayers. Similarly, in the same native environment, Ca^{2+} shows high cooperativity ($h = 4$, as obtained by Mak et al., see Refs. 7 and 8) in binding to its IMo site at saturating IP_3 levels, but exhibits reduced cooperativity ($h = 1.35 \pm 0.15$) in bilayers, though its affinity is the same. Interestingly, at

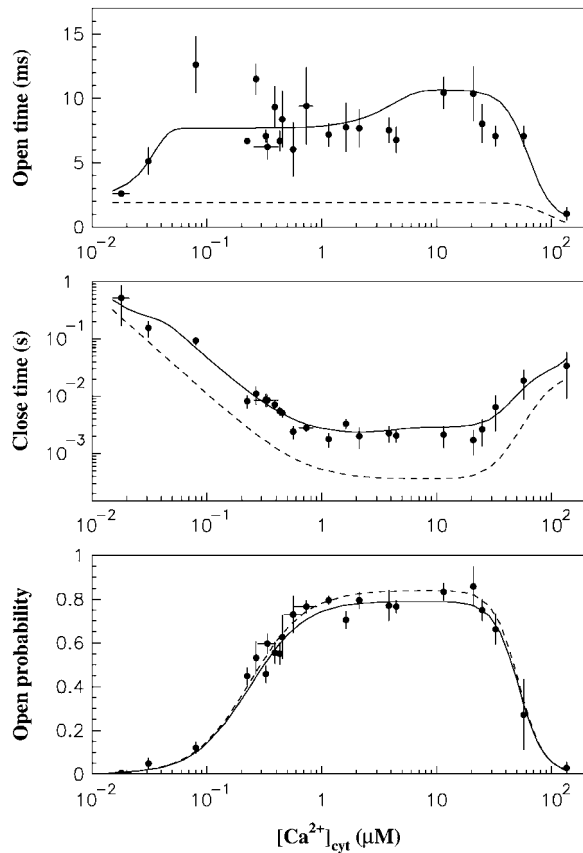


FIGURE 4 Model fit to data of Mak et al. (6,8) obtained with the channel in the nuclear membrane, and 10 μM IP₃ and 500 μM ATP on the cytosolic side. Dashed and solid lines characterize actual and apparent values, respectively, of the quantity represented in each graph.

saturation levels of ATP, Ca^{2+} inhibits IP₃ binding, leading, in bilayers, to a variation from $K_d = 52.5$ nM in the absence of calcium, to $K_d = 121$ μM at high levels of calcium, whereas the corresponding variation in nuclear membranes is from $K_d = 17$ nM to $K_d = 165$ nM. Reciprocally, Ca^{2+} binding is strongly affected by IP₃, and its K_d at saturating ATP varies from 0.09 μM in the absence of IP₃ to 52 μM at high IP₃ in both membranes, but the Hill coefficient changes in different ways. Finally, the effects of ATP are less dramatic on both IP₃ and Ca^{2+} within the inhibition module.

Since the cytosolic conditions are closely similar in those studies, the differences obtained in the receptor sensitivity to each ligand might be induced by a luminal factor, loss of an accessory protein and/or by alteration of the protein-protein/protein-lipid interactions associated to the membrane.

At the end of this section, it should be mentioned that the model fits into the P_o , τ_o , and τ_c data if there are only one AMo and one IMo per channel molecule, whereas on the regulation of the adaptation module the equilibrium data analyzed so far do not impose any restriction except that, at steady state, the open gate probability is constant.

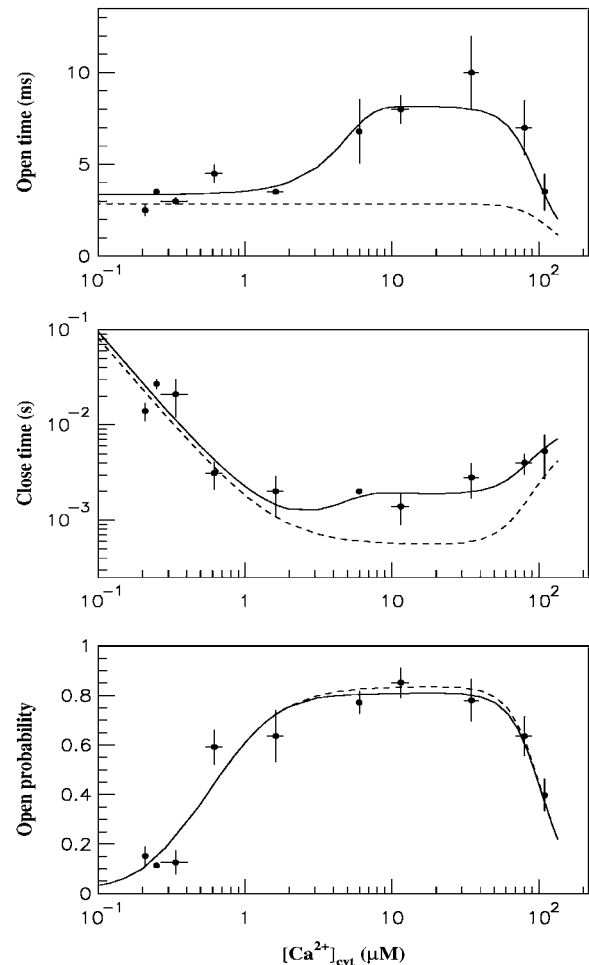


FIGURE 5 Model fit to data of Mak et al. (8) obtained with 10 μM IP₃ and 0 ATP on the cytosolic side. Other details as in Fig. 4.

IP₃ binding to the ER membrane

Calcium has been reported to induce almost complete reduction of IP₃ binding to cerebellum membranes at pH 8.3 (29,48), to cause partial—up to $\approx 70\%$ at pH 7.35 (10), and up to $\approx 50\%$ at pH 7.0 (29)—inhibition under more physiological conditions, or to have no effect on IP₃ binding to the purified receptor (25). The inhibition was initially found to be apparent only, and was associated to the activation of an endogenous phospholipase C that produces competitive IP₃ (49) but this scenario was contradicted by subsequent determinations under different conditions (10). In some studies an effective inhibition resulted exclusively from a Ca^{2+} -mediated decrease of the apparent affinity of the receptor for IP₃ (10,26,50), whereas Cardy et al. (29) found the mechanism to be a reduction in the maximal number of IP₃ binding sites with no change in the affinity for IP₃ or the Hill coefficient.

For comparison, in hepatocytes, cytosolic Ca^{2+} increases the affinity of the receptors (mostly IP₃R2) for IP₃ (51),

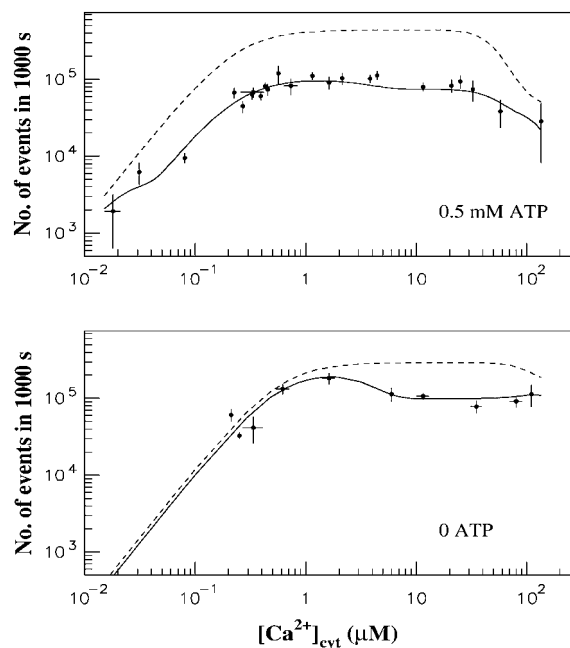


FIGURE 6 Number of events during 1000 single-channel recordings. Point values and error bars are calculated with the use of open and close time data of Mak et al. (6,8) obtained with the channel in the nuclear membrane, $10 \mu\text{M}$ IP_3 , and 0 or 0.5 mM ATP on the cytosolic side of the channel. Dashed and solid lines represent actual and apparent numbers of events, respectively.

whereas in RINm5F cells, which express predominantly the type-3 IP_3R (42), there is no effect at 0.1 mM (42) or 1 mM (29) Ca^{2+} . However, there is a maximum increase of 100% in IP_3 binding at 500 nM Ca^{2+} (29) and a complex regulation by calcium of the number of exposed IP_3 binding sites and the affinity for IP_3 .

We found that our gating model is able to integrate even such contradictory data of IP_3 binding. Here we discuss only

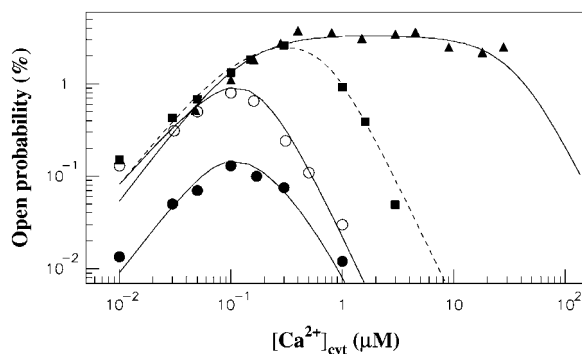


FIGURE 7 The $[\text{Ca}^{2+}]_{\text{cyt}}$ dependence of the $\text{IP}_3\text{R1}$ open probability at $500 \mu\text{M}$ ATP, exhibited by channels incorporated in lipid bilayers. Data, taken from Kaftan et al. (4) and Moraru et al. (10), and shown as solid and open circles, squares, and triangles, are obtained with 10, 20, 200 nM, and $180 \mu\text{M}$ IP_3 , respectively. Theoretical curves are obtained with the present model.

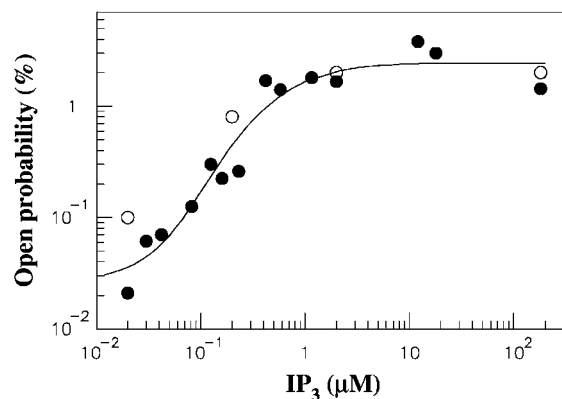


FIGURE 8 The IP_3 dependence of the $\text{IP}_3\text{R1}$ open probability exhibited by channels incorporated in lipid bilayers, with $0.16 \mu\text{M}$ Ca^{2+} and $500 \mu\text{M}$ ATP on the cytosolic side. Data shown as open and solid circles are from two different experiments performed under the same conditions; see Refs. 4 and 10, respectively.

IP_3 binding properties of the type-1 IP_3R . Best model fit to the data are shown in Figs. 9 and 10. To obtain consistency with the results of Kaftan et al. (4) and Moraru et al. (10), the high ($K_d \sim 1 \text{ nM}$) and low ($K_d \sim 10 \mu\text{M}$) affinity IP_3 sites (4) are included in determinations related to their data. However, since the type-1 is the most frequent (95–99%) isoform of cerebellar IP_3Rs (52), it is likely that the 1 nM affinity site actually belongs to the other isoforms of the receptor, so that its low ($\sim 1\%$) abundance (see Refs. 4 and 10; see also this article, Table 1, here) might simply reflect their low expression level found in microsome preparations. Nevertheless, the consistent contribution of the low affinity site in microsomes (4) indicates clearly that the $10 \mu\text{M}$ site is located on the $\text{IP}_3\text{R1}$, and we will include it in proportion 1:1:1:1 with respect to the three regulatory IP_3 sites of the model. Its affinity does not vary with temperature (4), so the corresponding K_d is set to $10 \mu\text{M}$ in both calculations based on the two sets of data obtained at 0°C and 22°C , respectively.

Interestingly, the IP_3 affinity for the its IMo-site in lipid bilayers at 22°C appears close to that detected in microsomes at 0°C , not 22°C as expected, suggesting an increased molecular rigidity of the receptor in planar bilayers, or the interaction between the channel and an accessory protein in fractionated membranes, interaction that might become effective at higher temperatures. We also notice that the channel with IP_3 and ATP bound to their sites in the inhibition module has an extremely low affinity ($52 \mu\text{M}$) of the inhibitory Ca^{2+} site in all preparations at 22°C , as compared to the medium affinity ($0.8 \pm 0.1 \mu\text{M}$) found at 0°C .

At saturating levels of ATP the activation module appears desensitized to IP_3 in cerebellum microsomes at room temperature, with a ~ 50 -fold lower affinity for IP_3 than in bilayers. The most dramatic effect of increasing the temperature in microsomes is the 10-fold decrease in IP_3 affinity for its AdMo site with ATP bound to the module, as well as

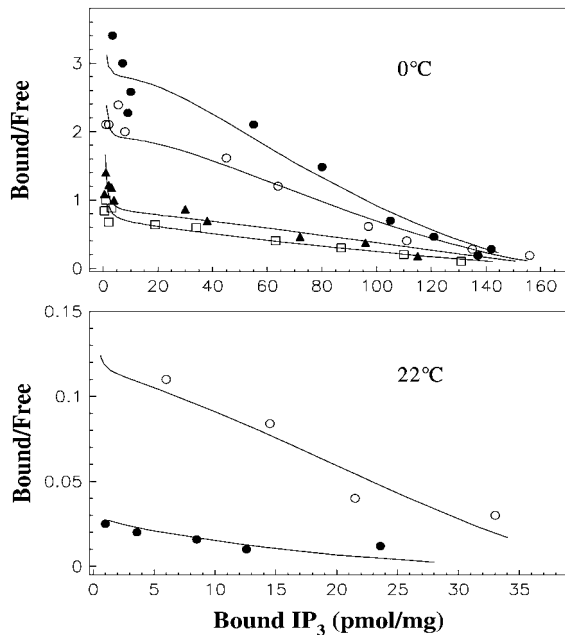


FIGURE 9 The IP₃ binding to cerebellum membranes at different $[Ca^{2+}]_{cyt}$ and two different temperatures. Data are from Moraru et al. (10) and correspond, in the upper panel, to 0 (solid circles), 0.1 μ M (open circles), 0.5 μ M (triangles), and 10 μ M (squares) Ca^{2+} , respectively. In the lower panel, open and solid circles are data obtained with 0 and 10 μ M Ca^{2+} , respectively.

for its IMo site in the absence of Ca^{2+} ; at saturating levels of Ca^{2+} and ATP the IMo IP₃ site is largely desensitized at 22°C ($K_d = 11$ mM), as also happens with the receptor in bilayers.

Cardy et al. (29) found that Ca^{2+} regulates, presumably through the intermediate of an accessory protein, the inter-conversion between two conformations of the receptor, one with high affinity for IP₃ ($K_d \sim 10$ nM) and the other one having the IP₃ site either occluded or of extremely low affinity. Consistent with this mechanism, our fit to the data (shown in Fig. 10) results in a virtually inaccessible IP₃ site

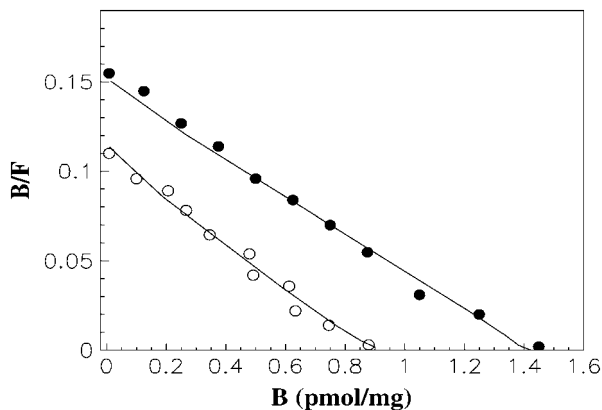


FIGURE 10 The IP₃ binding to cerebellum membranes at different $[Ca^{2+}]_{cyt}$. Data (from Ref. 29) correspond to 2 nM (open circles) and 1.1 μ M (solid circles) Ca^{2+} , respectively.

($K_d = 31$ mM) within the inhibition module when the Ca^{2+} site is occupied. For comparison, at saturating $[Ca^{2+}]$, IP₃ binds with medium affinity to the channel molecule in *Xenopus* nuclear membranes, whereas the IP₃ affinity in the absence of calcium is similar to that obtained from channel recordings in *Xenopus* nuclei, but with Hill coefficient consistently different (1 as compared to 6). However, Ca^{2+} affinity for the IMo site appears to be identical in both experiments. As for the activation module, IP₃ appears to increase channel's affinity for Ca^{2+} , which is of the same order as obtained with the other data sets, and reciprocally, Ca^{2+} increases the affinity for IP₃, which however appears one-order-higher than in the other experiments, possibly reflecting the effect of the high pH.

At high ATP and in the absence of calcium, IP₃ binds with similar affinity to AMo and IMo; it appears then that IP₃ binds to a unique class of sites. At increasing $[Ca^{2+}]$, however, the dominant feature is determined by Ca^{2+} depressing IP₃ binding to its IMo site, whereas the AMo IP₃ site contributes with an increase in the apparent affinity for IP₃ of the channel molecule. For instance, at 22°C in the presence of ATP (see Table 1, column B-II) there is no IP₃ bound in the inactivation module faced to saturating calcium, but the receptor appears to bind IP₃ with low affinity ($K_d = 2$ μ M in the activation module). Extrapolation of the curves in the lower panel of Fig. 9 evidences the corresponding reduction in the maximal binding sites (not shown) which is similar to the phenomenon reported under different conditions (2°C in absence of ATP). In fact, this situation is evident also under reconstitution of the receptor in lipid bilayers (see Table 1, column CA-Ib), where, at high levels of Ca^{2+} and ATP, the inhibition module has an extremely low affinity for IP₃. These results provide indirect evidence that the mechanism proposed by Cardy et al. (29) can manifest even with different microsomal preparations, and show that when one single parameter (temperature; see Table 1, columns B-II and B-III) is modified between experiments otherwise similar, the resulting variations in ligand binding may lead to the interpretation with apparently different mechanisms.

In all of the cases discussed in this section, the summated contribution of the three IP₃ binding sites predicted by the model to belong each to a single gating module looks similar to the contribution of an apparently unique class of sites. As seen also from the values determined by model fit, all the three sites are of similar, i.e., medium (~ 100 nM) apparent affinities. We propose that each IP₃R1 monomer has four IP₃ binding sites (one of low affinity, three of medium affinity), presumably located in the four determinant segments of the IP₃ binding domain, which are known to contain conserved basic residues that interact with the phosphate groups of IP₃ (24). Except the case of the *Xenopus* IP₃ receptor, the obtained $n_H \simeq 1$ for all the three modules indicate that binding of one molecule of IP₃ to a certain site on a monomer prevents binding to a related site on any other subunit. In *Xenopus*, $n_H = 6$ indicates that six molecules bind co-

operatively to the inhibition module of the receptor. Presumably, two IP₃ molecules bind three of the four monomers at the IMo site location each, and binding is highly co-operative. The prediction can be tested by binding assessment on *Xenopus* nuclear membranes.

It is likely that the low affinity ($K_d = 10 \mu\text{M}$) site resides on one of the two IP₃ binding determinant segments of the IP₃R1 which are closer to the C-terminal (DS3, DS4), since the GST protein fused to the 341–604 fragment of the receptor obtained from cerebellar microsomes binds IP₃ with similar affinity ($K_d = 4.7 \mu\text{M}$) (27). Additionally, breakup of the IP₃ binding core into two fragments (F1, 226–317 and F2, 346–604) by mild trypsin digestion does not alter the capacity for IP₃, the specificity or affinity of the receptor evaluated for the medium-affinity binding component (27). This, from the perspective of our model, indicates that the two fragments (F1, F2) bind IP₃ independently. Moreover, in mixtures of GN and GC constructs (GST proteins fused to the 1–343 and, respectively, the 341–604 fragment), beside the low-affinity binding contribution, one other component, of medium-affinity, is evident in the Scatchard plots (27). We interpret these findings by the existence of a medium-affinity IP₃ site on each of the segments DS1 and DS2, whereas the domain 341–576 may contain a low- as well as a medium-affinity site. Our model differs from that of Yoshikawa et al. (27), who proposed that F2 binds IP₃ with low affinity whereas F1 cannot bind IP₃ but potentiates binding affinity. Their conclusion is based on the assumption that a monomer has a single IP₃ site. Ours relies on the assumption that the GN construct is incapable of binding IP₃ by itself but is able to bind IP₃ in a GC-GN fused conformation resembling that in the actual spatial configuration of the receptor, as suggested by the K_d value's similarity (11 nM of GC-GN versus 19 nM of the native receptor; see Ref. 27). In favor of a four-site model, in the experiments by Moraru et al. (10) most preparations have a maximal binding capacity of ≈ 154 pmol/mg of protein. In some cases, however, a fourfold reduction in the number of available sites is observed ($B_{\text{max}} \approx 40$ pmol/mg) without change in affinity (10), suggesting alteration of IP₃ binding ability in three of four IP₃ sites of similar affinities, rather than prevention of IP₃ binding to three of four monomers within all the receptors in the preparation. The results of Cardy et al., too, indicate (at high Ca^{2+} levels) a reduction with either 35% or 50% of the maximal observed number of available sites (29), explicable by Ca^{2+} -induced suppression of IP₃ binding to one of three or two of four sites. More suggestive evidence for the existence of four sites comes from data on IP₃R3 which, depending on the level of Ca^{2+} , may present discrete values of B_{max} , in proportion extremely close to 1:2:4 (inset of Fig. 5 and Table 1 of Ref. 29). Furthermore, the fact that Ca^{2+} both stimulates and inhibits IP₃ binding to type-3 receptors (29) indicates by itself the existence of two different IP₃ sites of medium affinity ($K_d \approx 2$ and 14 nM, respectively; see Ref. 29), regulated by Ca^{2+} in different ways. In our model these

are represented by the AMo- and IMo-IP₃ sites. It is also unlikely that an accessory protein (29) can decrease the number of exposed IP₃ sites in various preparations in a precise, quantal manner. Rather, our model predicts that IP₃R has four sites for IP₃ in each monomer, and that IP₃ can bind only one medium-affinity site in the purified receptor (30), but can bind all four sites in vivo.

With regard to ATP, it has been found to inhibit cold IP₃ binding to the rat cerebellar membrane with $\text{IC}_{50} = 0.5$ mM and to the purified receptor protein with $\text{IC}_{50} = 2$ mM (30). Our model predicts that such an inhibition derives from the modulation of the adaptation module state by ATP. In the presence of Ca^{2+} , complete (30) inhibition by ATP of IP₃ binding is obtained for two data sets (columns *B-II* and *In* in Table 1, with an inhibition ATP constant ($K_{\text{ATP},11}^{\text{act}}$) of 0.1 and 1.5 mM, respectively (not shown). This is in agreement with the data. Stimulation of channel activity of the purified receptor is most effective at 0.6 mM ATP (30), is twofold-valued in the IP₃R from aortic sarcoplasmic reticulum at 0.1 mM (53), or has an $\text{IC}_{50} = 0.04$ mM ATP (54). This also agrees with our results that ATP binding to the activation module site increases Ca^{2+} binding affinity to its activating site (ATP modulatory K_d is obtained in the range 0.02–1.5 mM, Table 1). The high affinity for ATP of its site in the inhibition module ($K_d = 17 \mu\text{M}$) has been previously determined (30), and is intermediate between the values of $K_d = 1.6$ and possibly 177 μM of the two ATP sites determined by another group (36) but is quite distant to the observation that ^{45}Ca release from lipid vesicles is inhibited between 0.1 and 1 mM ATP (55). Nevertheless, the kinetic parameters of the inhibition module would be better estimated if more data were available on inhibition of channel activity by Ca^{2+} and ATP.

Channel inactivation

Stationary P_o data such as those analyzed in the first section are obtained from current recordings with channels that remain active sufficiently long. For this reason, these steady state data do not include the slow inactivation component of channel activity. However, one detailed analysis of single channel recordings with sufficient number of events has revealed that IP₃R1 inactivates with a time constant of ≈ 30 s in the presence of 10 μM IP₃ (5), whereas kinetic studies on ER membrane permeability in hepatocytes with two-IP₃-pulse protocol (38) have shown two components with rate constants and weights that depend on the time of IP₃ preincubation. This translates into the contribution of three actual kinetic components as follows: with no preincubation, two exponential components are evident—of which one is fast (time constant ≈ 1.8 s) and one is slow (time constant ≈ 17 s). With 180-s preincubation, the fast component is lacking, whereas there is a slow component, however, of different (lower) rate (time constant ≈ 50 s) as compared to that obtained in the first case (38).

From our numerical investigations we concluded that agreement of the 3M-model with the data could not be obtained, unless:

1. The channel inactivates upon conducting the ionic current.
2. There are two modules, namely the activation and the adaptation modules, that each generate an inactivated state.

The first restriction is imposed by the equilibration of the fluorescence quenching by Mn^{2+} entry through the IP₃-dependent permeation pathway. In the opposite case, if there were no inactivation, the Mn^{2+} content in the stores would increase continuously— P_o is not zero at the IP₃ and Ca^{2+} levels used in that study—which is not the case (see Fig. 1 *c*, trace 1, in Ref. 38). Moreover, inactivation manifests in the conduction period only, since fluorescence quenching remains at high levels even after IP₃ preincubation periods as long as 180 s. This implies the existence of inner sites acting as triggers for inactivation, when the charge carrier (either K^+ as in Ref. 5, or Mn^{2+} as in Ref. 38) binds them.

The second restriction is related to the three observed inactivation components, of weights that vary with the preincubation time. As shown in Fig. 11, inactivation kinetics can be explained on the right timescale and with correct time course with multiplication of the three independent module components. The 3M-model was fit to the data presented in Fig. 1 of Hajnoczky and Thomas (38). The best-fit parameter values (given in the *last column* of Table 1) were used to create the simulations in Fig. 11, which are quite close to the experimental traces, seen in Fig. 1 in Hajnoczky and Thomas (38). The adaptation component leads to the dominant fast-release with no-IP₃ preincubation period, followed by a gradual decrease of its contribution as the preincubation is prolonged. After ~50-s preincubation, application of the second IP₃ pulse produces no further response transposed onto the AdMo open gate probability trace, and this determines the almost complete disappearance of that component from the fluorescence signal. Since this component is associated with the fast-inactivation rate, one AdMo open state with IP₃- and Ca^{2+} -bound (called *AdI* state in Fig. 2) is assumed to inactivate at high rate (with a time constant of 0.75 s, as we obtained). The choice of the state undergoing inactivation as an IP₃- and Ca^{2+} -bound state is imposed by the first experimental observation mentioned in the second paragraph. However, there are two IP₃- and Ca^{2+} -bound open states in the adaptation module, but the correct response was obtained with inactivation originating from the *C2*-conformation state. As seen in Fig. 11, with no preincubation, there is a rapid (in <0.5 s) increase in the open probability of the adaptation gate, determined by accumulation in the *AdI* state, followed by fast inactivation of that state. The fraction of remaining open states is low and decreases gradually as the AdMos of numerous channels cycle between states and continue to inactivate when reaching the *AdI*-state. During this period the decline of the channel P_o

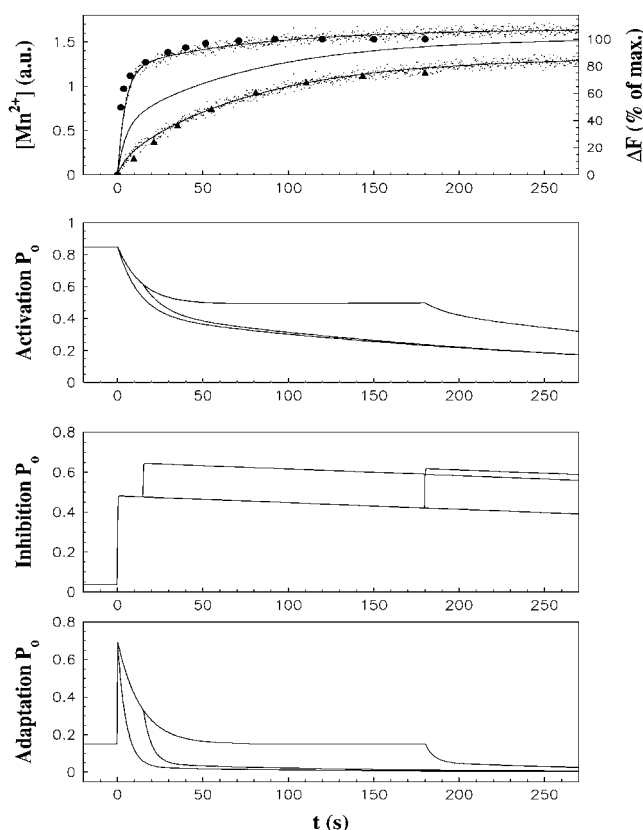


FIGURE 11 Simulated inactivation of the IP₃R1 in the continuous presence of IP₃R. The Mn^{2+} content in the stores, expressed in arbitrary units in the upper panel, corresponds, from the lower to the upper trace, to preincubation with IP₃ for 0, 20, and 180 s, respectively. Here $t = 0$ is the moment of Mn^{2+} addition, coincident with application of the second IP₃ pulse. Lower panels depict kinetics of open gate probability in each IP₃R1 module before and after addition of IP₃. The first IP₃ pulse initiates at $t = 0$. The second IP₃ pulse is applied at $t = 20$ and 180 s, respectively.

is dominated by the slower kinetics of the AMo gate, which shows two distinct components. The medium component (time constant 20 s) is given by rearrangement of AMo states after IP₃ stimulation and its timescale depends on the rate of ATP binding to AMo, which is slow (rate constant 0.05 s^{-1}). The slow component is determined by inactivation at low-rate (time constant = 59 s, double the ~30 s-value reported in *Xenopus* oocytes with K^+ as a current carrier; see Ref. 5) of the IP₃-, Ca^{2+} -, and ATP-bound open state of the activation module (denoted *AI* in Fig. 1).

When the channel is faced to IP₃ for 15 s, the available *AI*- and *AdI*-state fractions are consistently reduced at the time of Mn^{2+} addition. In this case both the fast- and the medium-release components appear with diminished weight. However, the final Mn^{2+} content in the stores almost reaches the same value as before, because the contribution of the inhibition module to the overall membrane permeability is increased, as shown in Fig. 11. The slow release after preincubation with IP₃ for 180 s is determined by inactivation at low-rate (time constant = 59 s) of the *AI* state in the

activation module, and the lack of the faster release components is partially compensated by activation of more open states in the inhibition module by the second pulse of IP₃.

Since the fast inactivation component has not been detected with single channel recordings where the current carrier is either Ca²⁺ (3), K⁺ (5,6), or Ba²⁺ (4,10), it is presumably induced solely by Mn²⁺ binding to an inner site, whereas the slow inactivation may be triggered by Mn²⁺ as well as by K⁺.

We have to distinguish between two modes of receptor inactivation: intrinsic inactivation by IP₃ and Ca²⁺, and inactivation by the current charge carrier Mn²⁺ or K⁺. Intrinsic inactivation by IP₃ and Ca²⁺ derives from state dynamics of the adaptation module, which responds gradually weaker to the second IP₃ pulse (Fig. 11). Complete loss of IP₃R1 receptivity to IP₃ is observed at interpulse times ≥ 80 s. The timescale of the process is dictated by the rates of the spontaneous conformation interchanges. The calculated half-time dependence on the time of preincubation with IP₃ comes out to be in good agreement with the experimental one (Fig. 12). Inactivation by cytosolic Ca²⁺ (38) is explained in the same manner, but the discussion is not enlarged here. Intrinsic inactivation is modulated by inactivation due to specific cations (Mn²⁺, K⁺ but probably not Ca²⁺ or Ba²⁺). K⁺ is an important modulator of Ca²⁺ release (18,56). We suggest also that IP₃R1 inactivation by K⁺ may contribute to termination of Ca²⁺ release in vivo and could be the cause for the damping of local Ca²⁺ oscillations in permeabilized cells within 15–20 s (56).

We have noticed that the sensitivity of the inhibition module in bilayers at 22°C is similar to that in fractionated membranes at 0°C, not 22°C. Added to this, the similarity of ligand affinities obtained with the inactivation data set (obtained in permeabilized hepatocytes at 35°C) and those obtained with data on cerebellar microsomes at 0°C suggests that this degree of sensitivity to IP₃ and Ca²⁺ is a fundamental characteristic of IP₃ receptors of the endoplasmic reticulum in mammalian cells under physiological conditions. Rather than the effect of a protein associated to the ER membrane (suggested above), it is more likely that the intact membrane is a more rigid medium embedding the receptor, since receptor behavior in intact membranes is more closely related to that in fractionated membranes at 0°C, not 22°C.

Consistent differences are obtained with the *Xenopus* IP₃R1, particularly related to the high cooperativity in IP₃ and Ca²⁺ binding to the inhibition module, and to the high open gate probability of the adaptation module. Fig. 13 shows the predicted in vivo open probability of the channel in dependence on IP₃ and Ca²⁺. Channel activity remains low ($P_o \leq 1.7\%$) and confined to a narrow range of cytosolic Ca²⁺ ($< 3 \mu\text{M}$) even at $2 \mu\text{M}$ IP₃, with the peak reached at $0.25 \mu\text{M}$ Ca²⁺, in coincidence with results obtained in bilayers (3,4,10). At increasing IP₃, the activity augments

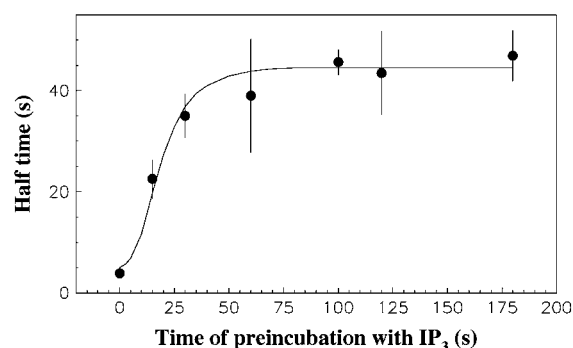


FIGURE 12 Kinetics of channel inactivation depends on the time of preincubation with IP₃. On the ordinate it is represented the time to half-maximum of the Mn²⁺ content trace obtained after preincubation with IP₃ for the duration represented on the abscissa. The data are from Hajnoczky and Thomas (38); solid line is obtained by model calculation.

and the Ca²⁺ domain is enlarged, with rightward-shifting of both the maximum P_o and the half-maximum inhibition Ca²⁺, as seen also in bilayers. However, the channel closes at $\geq 10 \mu\text{M}$ Ca²⁺ even at IP₃ levels as high as $180 \mu\text{M}$ IP₃, in contrast with the predictions in bilayers or *Xenopus* nuclear membranes. It is expected then that the channel readily closes when high Ca²⁺ gradients develop at the mouth of the open channel, since in the presence of cytosolic Ca²⁺ buffering and diffusion the local Ca²⁺ becomes already $\geq 10 \mu\text{M}$ when the current ≥ 10 fA. For instance, with $30 \mu\text{M}$ Ca²⁺ inside the store and the channel conducting a current of 8 fA, the Ca²⁺ concentration averaged over a distance of 40 nm from the channel mouth reaches $9 \mu\text{M}$, whereas with 80 fA conducted, the channel is faced to $\geq 50 \mu\text{M}$ Ca²⁺ (18). In the case of clustered receptors, the concentration at the channel/cytosol interface reaches $170 \mu\text{M}$ for a release current of 0.8 pA (57). Calcium release is produced intermittently, during open-channel periods which alternate with closed-channel intervals. With intermediate currents of 0.1 pA established upon opening of the channel, the concentration rises within 1–2 μs at $> 50 \mu\text{M}$ in the vicinity of the channel (15,18,57). According to our findings, at this calcium level the channel should then instantly close due to saturation in the inhibition module. The calcium profile at the channel mouth drops below the [Ca²⁺] threshold for complete inhibition (e.g., $2 \mu\text{M}$ for $10 \mu\text{M}$ IP₃, Fig. 13) in < 1 ms (15,18,57) and the channel can reopen. The IP₃R activity during release depends critically on cytosolic and luminal diffusion and buffering, as well as on the upper threshold of cytosolic [Ca²⁺] that permits the receptor to activate. The threshold value depends on the IP₃ level (Fig. 13).

Knowledge of how the ER calcium channel functions in vivo is essential for an accurate description of various calcium-dependent processes. At the moment the P_o of IP₃R1 in vivo is not known (12). However, all Ca²⁺ flux measurements performed with permeabilized cells (58),

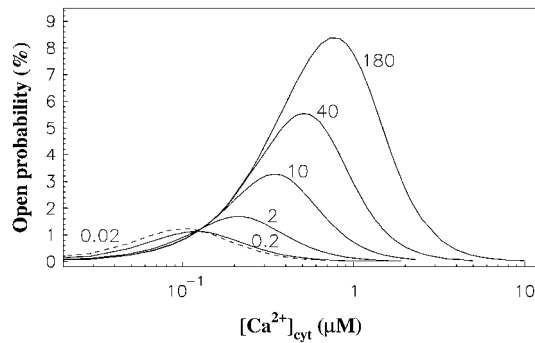


FIGURE 13 Predicted in vivo channel open probability at 500 μM ATP. Calculation is done according to the 3M-model, using parameter values defined in Table 1, last column. Numbers next to each curve represent IP₃ concentration, in μM .

isolated brain microsomes (59), and *Xenopus* oocytes (60,61) have shown that IP₃-induced calcium release is completely blocked by concentrations of Ca²⁺ in the 5–10 μM range, which is in good agreement with the present predictions. From our estimations, it appears that at resting cytosolic Ca²⁺ levels of ≤ 120 nM, IP₃ inhibits channel opening by Ca²⁺ (Fig. 13). This should protect cells from sustained Ca²⁺ release in rapid processes in which cytosolic Ca²⁺ transients remain local. In contrast, elevation of global calcium at concentrations higher than 120 nM would allow rapid activation of channels everywhere in the cell.

DISCUSSION

In numerous experiments, high variability has been found in IP₃ binding to the IP₃R1 receptor, with apparent K_d ranging from ≈ 8 nM (29) to 20 nM (27), 100 nM (25,26), or even 300 nM (10), as well as in the activity of the IP₃R1/Ca²⁺ channel, with peak open probability ranging from ~ 0.04 (4,10) to 0.2 (12), ~ 0.3 (13), or even ~ 0.8 (6,8). Because Ca²⁺ is one of the key regulator factors of the IP₃ receptor, concentrated effort has been oriented toward the understanding of its action mechanisms. Although Ca²⁺ activating and inhibitory effects on channel gating have been systematically found in various determinations of channel activity, contradictory scenarios emerged from IP₃ binding experiments, where the data seem to support the existence of different Ca²⁺ effects on IP₃ binding in different microsome preparations.

The present study emerged from the observation that the IP₃R behavior does not change qualitatively under different experimental conditions. It is then assumed that a unique gating mechanism characterizes this behavior. This particular assumption provides a huge advantage because it allows us to use information from a large number of data and observations and construct the model by recreating the picture of IP₃R regulation from disparate pieces. The model structure is quite different from that of other theoretical models of the receptor in that it uses an autonomous module decom-

position able to explain the activation, inhibition, and inactivation of the channel. Although various reduced forms of the model can explain separate findings, they are not in agreement with some other data. All of the mechanisms assumed by the model are selected to explain disparate observations and then combined so that the complete model becomes able to reproduce the entire amount of observations discussed here. These are focalized on three main points:

1. The regulation of the steady-state channel activity by Ca²⁺, IP₃, and ATP. The data we use have been obtained with the channel either incorporated in lipid bilayers or studied in its native membrane environment. Both bell- and square-shaped Ca²⁺-dependencies of P_o are reproduced; Ca²⁺-dependencies of P_o and dwell-times at various IP₃ and ATP levels are well fitted.
2. The puzzling properties of IP₃ binding to the receptor, associated with the inhibitory effect of Ca²⁺ on IP₃ binding, which is mediated either by decrease in IP₃ affinity or by reduction of the maximal number of binding sites. Inhibition of IP₃ binding by ATP is also supported by the model.
3. The inactivation of the receptor by IP₃. Kinetic responses of the receptor assessed by two-pulse IP₃ application are accurately reproduced. Time-dependent reduction in the receptor response to the second stimulation pulse is explained. Two inactivation modes are evidenced: intrinsic receptor inactivation by Ca²⁺ and IP₃, and inactivation due to conduction of a specific cation (Mn²⁺ or K⁺ but, most likely, not Ca²⁺ or Ba²⁺). The timescale for intrinsic receptor inactivation is dictated by the rates of spontaneous conformation changes of the receptor.

The Ca²⁺ inhibitory effect on IP₃ binding to the receptor has been reported to be effected either through variation of the receptor affinity for IP₃ or through decrease of the maximal number of IP₃ binding sites, and thought to be either direct or indirect. Findings that suggest the role of a calcium-binding membrane protein that associates with the receptor to regulate its sensitivity to IP₃ come from confrontations between experiments of IP₃ binding to crude membranes and, respectively, to the purified receptor (25). Although with the receptor embedded in the membrane IP₃ binding is effectively regulated by Ca²⁺, the Ca²⁺ effect vanishes completely in the purified receptor. Our model converges to this picture if calcium escapes from the allosteric effect of IP₃ and ATP in both the activation and the inhibition modules of the purified receptor (i.e., Ca²⁺ K_d values are constant within both modules), suggesting that the membrane-associated protein induces a conformation that permits IP₃ and ATP to regulate Ca²⁺ binding in both modules. In addition, this mechanism would also explain the actual insensitivity to Ca²⁺ found by one group (49) in bovine cerebellum membranes, where the involved protein might be lacking. We did not, however, obtain the Ca²⁺ decoupling from the allosteric trios when we used activity

data of the channel expressed in lipid bilayers. This suggests that the triple allosteric regulation is in fact intrinsic to the IP₃ receptor but may be not a robust mechanism and thus may be easily altered by various experimental maneuvers. Additionally, receptor protein folding may depend on the structure of the lipid environment and assembly of the receptor as a tetramer may be required for various binding and gating events (28). Nevertheless, we obtained a good convergence of the model parameters with two data sets expressing conditions closer to the in vivo environment, but the convergence is specifically related to the mammalian-cell type.

The 3M-model of the IP₃ receptor predicts that four IP₃ sites lie on each monomer. The hypothesis is confronted with various experimental observations. We find no contradiction between the model and the known properties of the receptor. Two medium affinity sites may reside on the sequence domain 226–317 of the IP₃R1, whereas the region 341–576 might have one medium- and one low-affinity IP₃ binding site. Some discrepant findings could be reconciled by the existence of multiple sites in each subunit. For example, electron microscopy reveals that gold-albumin attached to heparin (a competitive antagonist of IP₃) binds to a single site on each monomer and the distance between sites is ≥ 10 nm (28), in agreement with the large size of the IP₃R structure (12–25 nm) (22,23,28,30), whereas by using IP₃ dimers linked by molecules of varying length the estimated distance between sites would be ≈ 1.5 nm (28). This spacing has been associated with the separation between sites on different monomers within the receptor and it has been therefore concluded that the four IP₃ sites of the receptor are placed centrally, close to the channel pore. A larger distance (≈ 8 nm), found for increased IP₃ binding, has been attributed to interreceptor interactions of long IP₃ dimers (28). We propose that, since the albumin and gold are themselves large (>5 nm) (28), heparin cannot bind but a single site of a monomer (located toward the periphery of the IP₃R; see Ref. 46), which would explain why no more than four heparin-gold molecules are detected to bind the receptor. The presumptive multiple sites on a monomer would be separated by ≤ 2 nm, whereas IP₃ sites on different subunits would be separated by ≥ 8 –10 nm.

The present model of IP₃R1 can be used in the same form for the type-2 and -3 IP₃ receptors. From numerical studies other than those shown here, data obtained with these receptors (8,11,12,29,41,42,44) can be well fitted by the model. This would be useful to the study of the functional importance of any differences in rate constants between receptor subtypes (17). Besides the Ca²⁺ and IP₃ effects on channel activity or ligand binding, various kinetic responses of the receptor to IP₃ or Ca²⁺ application can also be explained by the model (not shown). Based on measurements of ⁴⁵Ca release in permeabilized cells, it has been proposed that in the absence of IP₃ Ca²⁺ rapidly inhibits IP₃R2, as well as IP₃R3, whereas binding of IP₃ protects IP₃R2 from inhibition by calcium, but fails to do that in IP₃R3 (42). It has been suggested that in both receptors IP₃ binding causes

exposure of an activating Ca²⁺ binding site. The molecular interpretation disagrees (42) with other findings from single channel recordings of the type-3 receptor (8). Theoretical considerations (17) on the IP₃R2 kinetics also caution that the time course of release after addition of large amounts of Ca²⁺ may be not sufficient to determine whether binding of IP₃ shields the Ca²⁺ inhibitory site, since the response can be simulated with a model that excludes this possibility. Although we have found that our model, too, can generate IP₃R2 and IP₃R3 receptor kinetics similar to those observed for release kinetics (41,42), the influence of luminal and cytosolic calcium dynamics around the channel should be thoroughly investigated by numeric simulations incorporating calcium fluxes, ion diffusion, and buffering (16,18,57). When assessed in this way (56), the correct meaning of the data obtained from superfusion experiments reflects a biexponential decay of the release, originating from the Ca²⁺ concentration dynamics rather than channel state dynamics. To analyze inactivation of the receptor, we use findings from experiments where the measurement of ionic permeability is decoupled from the effect of Ca²⁺ dynamics. For this reason, the respective data represent faithful determinations of the Ca²⁺ channel function in response to Ca²⁺ and IP₃. In fact, all the data used in this article specifically refer to intrinsic properties of the IP₃ receptor, determined in the absence of Ca²⁺ fluxes.

In conclusion, our results support the idea that essentially the same gating mechanisms are in the core of the IP₃R1 events observed in various studies in the absence of calcium fluxes, but, as the variations in the parameter values related to different data (see Table 1) reflect it, the receptor expresses different sensitivity under different experimental conditions. However, it appears that although the modules remain functional after reconstitution of the channel into planar bilayers, the receptor sensitivity to IP₃ is particularly increased within the ATP bound-activation module, where the IP₃ K_d decreases four times, as well as in the inhibition module with no Ca²⁺ bound, where the IP₃ K_d decreases six times. Likewise, the sensitivity of the activation module to ATP is one-order-higher in bilayers than in permeabilized cells, but remains unchanged in microsomes. ATP decreases IP₃ binding to the activation module up to 10-fold, with the exception of cerebellar IP₃R1 incorporated in bilayers.

We have previously analyzed the possibility that the IP₃R1 channel closes upon Ca²⁺ binding to a luminal site and found it able to explain a series of experimental findings (18). We could explain channel inactivation by 0.6–1 mM luminal Ca²⁺ in absence of ATP (62); apparent invariability of P_o at low luminal calcium levels (6,37); decreased open channel duration observed in the presence of calcium in the *trans* chamber (37); decrease of channel P_o at high levels of luminal Ca²⁺ (37); or the shallow decrease of the largest component of the open dwell-time histogram with increasing luminal [Ca²⁺] (62). We found that high concentrations of luminal

calcium reduce the maximal P_o (Fig. 5 in Ref. 18; and also results not shown, in agreement with the data in Ref. 37). The mechanism can be incorporated into the present model by adding a regulatory luminal site and its associated gate, which would act independently of the cytosolic conditions. The enlarged model would then approach the IP₃R1 regulation by cytosolic Ca^{2+} , IP₃, ATP, and luminal Ca^{2+} , supplementing all its present features with modulation by luminal Ca^{2+} .

Our present model differs from the more recent model by Fraiman and Dawson (19), who consider a regulatory luminal Ca^{2+} site to explain the differences in the shape and magnitude of the $P_o([Ca^{2+}]_{cyt})$ dependence observed in bilayer experiments (3) and in patch recordings on nuclei of *Xenopus* oocytes (6). They assume that IP₃R1 behavior depends on the cation used as a charge carrier in single channel recordings and the observed differences derive from using either monovalent or divalent cations for current recordings. Our model does not include this possibility, but finds a different possible cause, originating from 1), different affinity and Hill coefficient of IP₃ binding to the inhibition module; and 2), change in the equilibrium IP₃R1 preferential conformation mode.

These and many other differences between experiments may originate, as discussed in this article, from different lipid environments, detergents, preparation, purification methods, pH, or other related conditions. Furthermore, as previously observed (12), earlier nuclear patch-clamp experiments (13) performed with a monovalent cation (140 mM K⁺) as a current carrier yielded a narrow bell-shaped dependence and a relatively low P_o , similar to those obtained in bilayers with fluxes carried by Ca^{2+} (3) or Ba^{2+} (4,11,12), not to the square Ca^{2+} dependence and high P_o found in nuclear patches with an identical 140 mM K⁺ current source (6). Additionally, both studies (6,13) were performed on nuclei from *Xenopus* oocytes, thus eliminating variations due to cell-specificity of the receptor structure. All this lends further support for our model.

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